# The Role of Political Parties in the Organization of Congress 

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#### Abstract

This article examines theory and evidence on party competition in the U.S. Congress in the allocation of members to committees. Parties allocate members to committees to maximize the joint utility of its members, taking into account how the committees' memberships affect the legislation adopted by the legislature. Parties are constrained by both institutional rules and the heterogeneity of party members' preferences. Interest group ratings from the U.S. House of Representatives provide evidence that the parties stack committees in a manner consistent with the predictions of the theoretical model. Alternative hypotheses explain no more than half the committees in the U.S. Congress, while the party competition hypothesis is consistent with the overall structure of the committees. Model selection tests that nest the party competition and representative majority party hypotheses reveal that the party competition hypothesis is supported by the data while the representative majority party hypothesis is not.


## 1. Introduction

In the U.S. system of government, much of the power to influence legislation that in parliamentary systems of government is held by political parties is delegated to Congressional committees. As a result, the U.S. Congress exhibits less party cohesion on floor votes than occurs in parliamentary systems such as in Britain, Canada, and elsewhere. Parties do, however, appear to be an important feature of both systems. Indeed, party control of the legislature seems no less important an issue in U.S. elections than under parliamentary systems. This article examines theory and evidence on party competition in the U.S. Congress in the allocation of members to committees.

[^0]Recent theories on the organization of the Congress downplay the role of political parties and instead focus on the committee system. ${ }^{1}$ In the "preference outlier hypothesis," legislative committees are populated by those legislators most interested in the policies over which the committee has authority. In this way, "advocacy is concentrated and opposition is diluted" (Niskanen, 1971:139). ${ }^{2}$ Committees populated by high-demand legislators can block legislation they dislike, enabling them to enforce logrolling agreements to pass legislation their members prefer (Weingast and Marshall, 1988). ${ }^{3}$ This in turn helps the legislators in their quest for reelection, which, it is argued, is the purpose of the committee system in Congress. The party system plays no role in that argument.

The role of political parties is also downplayed in the "informative committees hypothesis" (Gilligan and Krehbiel 1987, 1989, 1990, 1994; Krehbiel 1990, 1991). ${ }^{4}$ Under this hypothesis, committees provide information to the floor about the (uncertain) effects of policy in order to "specialize and to share the benefits of specialization" (Krehbiel, 1990:531). In contrast to the preference outlier hypothesis, this hypothesis predicts that committees will be populated with members whose preferences do not differ systematically from the floor and, because higher variance yields greater information, that committees will be at least as heterogeneous as the entire floor. ${ }^{5}$

The "representative majority party hypothesis" (Cox and McCubbins, 1993) explicitly grants a role to the majority (but not the minority) political party. Since the parties vote by party line to adopt the committee structure-a particularly powerful display of party unity-the majority party can stack the committee selection process in its favor (Cox and McCubbins, 1993:2). Thus under the representative majority party hypothesis, committees will reflect the preferences of the majority party. ${ }^{6}$

Given that the empirical predictions of the three hypotheses are quite different, it is surprising to find that there is still controversy. The first systematic empirical evidence (Weingast and Marshall, 1988) used interest group

[^1]ratings to look at the composition of a selection of committees and subcommittees in the U.S. House of Representatives. ${ }^{7}$ This evidence, purporting to support the preference outlier hypothesis, was challenged by several authors (Krehbiel, 1990, 1991; Cox and McCubbins, 1993; among others) ${ }^{8}$ whose models have in turn received criticism (e.g., Hall and Grofman, 1990; Groseclose, 1994b; Londregan and Snyder, 1994; Rohde, 1994; Adler and Lapinski, 1997; Epstein, 1997; Saving, 1997).

This article presents and tests a model that combines elements of the preference outlier hypothesis (Weingast and Marshall, 1988) with elements of the representative majority party hypothesis (Cox and McCubbins, 1993). We follow the latter in placing political parties at the center of our analysis, but we are not convinced that the majority party has free rein in setting up the legislature. Although the majority party has historically been able to enforce party line voting in setting up the structure for each Congress, the majority party, at best, controls only the number of minority party members on each committee-it cannot control their identity. ${ }^{9}$ The majority party is also constrained by heterogeneity within its own party, which provides an opportunity for the (also heterogeneous) minority party to influence the structure of the committee system. Thus in our view both parties actively participate in the committee allocation process.

In our model, each committee has the exclusive right to formulate policies within its domain, although changes to policies must be able to survive challenges on the floor by logrolling, gatekeeping, or simply being satisfactory to the floor. Since they vary in their policy interests, party members compete for committee memberships. Unlike Weingast and Marshall, who argue that parties grant committee memberships to the highest bidders, we assume that parties make committee membership decisions with the objective of maximizing a social welfare function of the utilities of their members, given that, once on a committee, members act to maximize their own utility. ${ }^{10}$

[^2]In their allocation of members across committees, parties face many institutional constraints: members are restricted to a maximum number of committee assignments, memberships on committees are treated as quasi-property rights based on seniority, and party membership on each committee must be (roughly) in proportion to its membership on the floor. ${ }^{11}$ A main feature of our model is the observation that these constraints imply that committee assignments are not independent of one another. For example, if each member sits on only one committee and there are only two committees, then if committee $A$ is stacked more conservatively than the floor, committee $B$ must be more liberal than the floor, since it is committee $A$ 's complement. This would have little consequence if each party were comprised of homogeneous members, and the political parties clearly identify with some policies more than others-Democrats are generally pro-labor, pro-environment, and for more social spending, while Republicans are for free trade, less regulation, and lower taxes, and against abortion. While these distinctions are important (e.g., Philipson, 1992), they mask the heterogeneity that exists within each party. The Republican party's positions on abortion and gun control run counter to its "liberal wing," and the Democratic party's position on government expansion runs counter to the interests of its conservative Southern wing. We explicitly consider this heterogeneity.

Furthermore, the interests of the two parties are not always at odds. Members of both parties may benefit by, for example, being perceived as "tough on crime," by increased government spending on public works, or by endorsing a strong military defense. Where there are major policy differences between the parties, committees dealing with the issues in these policy areas will tend to be polarized or confrontational, but in policy areas that are more important to one of the parties, committees will tend to be more lopsided than the floor, and it will appear that the parties accommodate one another. Thus not all committees are likely to be preference outliers, and those that are may be preference outliers in different directions.

The article is organized as follows. Section 2 presents empirical evidence concerning the distributions of party members' voting preferences in the U.S. House of Representatives. Section 3 develops the theoretical model of how each party allocates its members to committees, given competition from the other party and given institutional constraints on committee allocations. Section 4 presents a direct test of our hypothesis based on the comparative statics properties of the committee assignment equilibrium. Section 5

[^3]uses a resampling method that explicitly incorporates institutional restrictions on committee membership allocations to reexamine tests of the alternative hypotheses in the literature. Section 6 concludes the article with a discussion of the model and the results.

## 2. Party Heterogeneity and Committee Allocations

The data we analyze cover the 97th-102nd Congresses (1981-1992). Throughout this period the U.S. House of Representatives was controlled by the Democratic Party, and the Democratic majority during this period ranged from 243 ( $55.9 \%$ ) to 269 ( $61.8 \%$ ) of the 435 members. A number of interest groups maintained ratings indices for each member, based on floor votes (i.e., votes in which all members could vote) selected by the interest group. ${ }^{12}$ The range of each rating index is from 0 to 100 , with a congressman getting a 0 if he votes against the wishes of the interest group on each of the votes selected for the index and a 100 if he votes with the group $100 \%$ of the time. The indices used in the analysis and the issues that the congressmen are rated on are contained in Table 1, which presents the median ratings in the U.S. House for the whole floor and for each party individually for the 97th-102nd Congresses for eight different interest group ratings. ${ }^{13}$ Democrats score high on the ADA, COPE, LCV, CFA, and ACLU rating scales, and Republicans score high on the NSI, NTU, and COC rating scales. ${ }^{14}$

The parties appear quite different from one another if judged by the median ratings alone. However, while there are clear differences in measures of central tendency between the distributions of the two parties, each party's membership is itself quite heterogeneous. A more complete picture is given by Figure 1, which shows histograms of the ratings for each party for the

[^4]Table 1. Median Ratings by Congress by Party

| Party | Congress | Interest Group Rating |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | ADA <br> (1) | COPE <br> (2) | LCV <br> (3) | CFA <br> (4) | NSI <br> (5) | NTU <br> (6) | coc | ACLU <br> (8) |
| Whole house | 97th | 35 | 44 | 45 | 38 | 63 | 35 | 50 | 40 |
|  | 98th | 48 | 59 | 62 | 52 | 70 | 41 | 47 | 46 |
|  | 99th | 45 | 57 | 58 | 58 | 56 | 32 | 47 | 50 |
|  | 100th | 50 | 60 | 53 | 58 | 50 | 33 | 44 | 42 |
|  | 101st | 60 | 68 | 56 | 73 | 50 | 29 | 50 | 61 |
|  | 102nd | 53 | 67 | 63 | 72 | 50 | 59 | 43 | 48 |
| House Democrats | 97th | 67 | 72 | 61 | 64 | 33 | 23 | 18 | 53 |
|  | 98th | 75 | 83 | 76.5 | 75 | 35.5 | 27 | 33 | 63 |
|  | 99th | 75 | 84 | 71 | 75 | 20 | 26 | 38 | 70 |
|  | 100th | 75 | 85 | 68 | 75 | 10 | 27 | 28 | 70 |
|  | 101st | 80 | 88 | 75 | 82 | 10 | 12 | 36 | 77.5 |
|  | 102nd | 78 | 88 | 75 | 89 | 20 | 35 | 29 | 69.5 |
| House Republicans | 97th | 11 | 16 | 34.5 | 15 | 100 | 56 | 91 | 27 |
|  | 98th | 10 | 17 | 30.5 | 23 | 100 | 74 | 77 | 17 |
|  | 99th | 10 | 15 | 32 | 25 | 100 | 50.5 | 75 | 15 |
|  | 100th | 10 | 16 | 27 | 25 | 100 | 53 | 81 | 10 |
|  | 101st | 15 | 17 | 31 | 36 | 100 | 75 | 92 | 26 |
|  | 102nd | 11 | 15.5 | 38 | 44 | 100 | 95 | 79 | 9 |

Source: Barone, et al., Almanac of American Politics, various years. The data are the ratings for current members of Congress from the previous Congress (thus newly elected members are excluded). The 97th Congress were elected in November 1980 and served during 1981-1982. The 102nd Congress served during 1991-1992. See note 12 for a description of the ratings.

102nd Congress (1991-1992). (Similar evidence can be presented for each of the Congresses in the sample.) The party distributions clearly overlap one another. Each party's members also tend to be distributed over most of the range of possible values. Indeed, "moderate" Democrats (Republicans) are more conservative (more liberal) than the median member of the other party. In addition, the "extremists" tail of each party (i.e., the left tail of the Democrats and the right tail of the Republicans on a liberal rating such as ADA) is quite thick. This means that if either party switches an extremist member with a moderate member (e.g., if the Democrats replace one of its liberal members on a committee with a conservative member), the party committee median-and perhaps the overall committee median-changes.

There also exist institutional rules in the House restricting the composition of committees and the number of committees on which a member can serve. Over the 96th-102nd Congresses (1979-1992), Democratic members served on slightly more committees ( 1.83 committees per Democratic member versus 1.72 committees per Republican member). However, when we regressed the Democratic percentage on each individual committee on the House percentage of Democrats, controlling for individual committees and including linear and quadratic trend variables, with three exceptions, we could not reject the null hypothesis that the committees' Democratic shares are proportional


Figure 1. Empirical distributions of interest group ratings by party (102nd Congress).
Notes: Histograms of ratings and by party (Democrats are the dark bars, Republicans the light bars). Each bar represents the number of members with ratings in each range (e.g., the bars at 100 are the number of members with ratings between $91-100$, inclusive, and so on; the bar at zero are the number of members with a rating of zero). See Table 1 for a description of the ratings.
to the House. ${ }^{15}$ The three exceptions are Rules (more heavily Democratic) and House Administration and Standards of Official Conduct (less heavily
15. These results are similar to those of Philipson (1992). The House Democratic percentage variable coefficient is 0.717 (with a standard error of 0.176 ). This suggests that the Democrats did not engage in a tyranny of the majority in monopolizing committees. However, the null hypothesis that this coefficient is unity cannot be rejected ( $p=0.107$ ). The intercept is 0.185 $(\mathrm{SE}=0.11)$, so the null hypothesis that the intercept is zero could not be rejected ( $p=0.094$ ). Neither of the trend variables are significant. The adjusted $R^{2}$ is 0.388 . The regression is based on 153 observations (Ways and Means was omitted from the 1979-1980 data).

Democratic). ${ }^{16}$ The House Administration and Standards of Official Conduct Committees are intentionally bipartisan, while the Rules Committee is intentionally partisan.

Our argument is that if a party stacks one committee, it is forced to give ground on another committee. Parties may try to get around this restriction by placing more extreme members on a larger number of committees. This was tested by regressing a member's number of committee assignments on the member's ADA rating (for Democrats) and ACU rating (for Republicans), controlling for the number of years served in Congress and including dummy variables for each Congress. ${ }^{17}$ The regression results (with dummy variables not reported and $t$-statistics given in parentheses) are

$$
\begin{aligned}
& \text { No. of committees }=\underset{(33.79)}{2.11}+\underset{(2.51)}{0.0015(\mathrm{ADA})}-\underset{(12.75)}{0.025(\text { seniority })} \begin{array}{l}
\bar{R}^{2}=0.11 \\
N=1344
\end{array} \quad \text { (Democrats) } \\
& \text { No. of committees }=\begin{array}{llll}
2.04 & -\underset{(22.95)}{0.0008(A C U)}-\underset{(0.92)}{0.011(\text { seniority })} & \bar{R}^{2}=0.02 & \text { (Republicans) } \\
(3.62) & N=875
\end{array}
\end{aligned}
$$

Thus Democrats tend to grant additional committee assignments to members that are more liberal, but Republicans do not do so for members that are more conservative. However, even for Democrats, the effect is quite small: a 50 point increase in a Democratic member's ADA rating results in an extra committee assignment for only about 1 in 13 members. The regressions also indicate that the number of committee assignments decrease in both parties as seniority increases, which supports the hypothesis that there are gains to specialization in the legislature.

## 3. Theory: Party Competition and Committee Assignments

The model we present is motivated by the above empirical observations. In particular, party membership on committees is restricted to equal the party proportion in the House, members are restricted to a limited number of committees, and each party is heterogeneous. We also follow the literature [e.g., Weingast (1989), Krehbiel and Meirowitz (1999)] by assuming that once the committees are formed, the amendment process is fixed, with committees proposing a bill $b$ to alter the status quo $q$, the majority party offering an amendment $a$, and the committees responding with a perfecting amendment $p$. Our contribution to this literature is that we explicitly model how the committees are formed.

[^5]
### 3.1. The Model

The legislature is comprised of two parties. Proportion $k_{M}>1 / 2$ belong to the majority party, $M$, and proportion $k_{m}=1-k_{M}<1 / 2$ belong to the minority party, $m$. The legislature considers two issues, $x$ and $y$, where $\{x, y\} \subset P$, the set of possible policies. Let $f_{i}(x, y)$ denote the density of the members of party $i$ whose ideal points are $\{x, y\}$. Thus, $\iint_{P} f_{i}(x, y) d x d y=k_{i}$, $i=m, M$.

Committees $X$ and $Y$ act as gatekeepers (Shepsle, 1979) for policies $x$ and $y$, respectively. Thus each committee can prevent consideration of a bill to change the status quo, $q \equiv\left\{x_{q}, y_{q}\right\}$, for their particular issue. However, if the committees wish to alter the status quo, they must obtain the support of the majority of the legislature. The party's allocations to each committee are constrained by the institutional arrangement that each committee is comprised of $k_{M} / 2$ majority party members and $k_{m} / 2$ minority party members, and each party member is allocated to a single committee, $X$ or $Y .{ }^{18}$ Let $\chi_{i}$ denote the set of feasible committee allocations for party $i=M, m$. So long as the party's distributions of preferences overlap, each party can affect the committee medians through its choice of committee assignments. In the case where the members of each party are distributed on a single dimension (i.e., a left-right scale), the institutional restriction $\chi_{i}$ requires that if party $i$ stacks committee $X$ to the right, then it must stack committee $Y$ to the left. Similar restrictions exist even when the parties are distributed across more than one dimension.

The parties allocate their members to committees to maximize the weighted sum of the utility of the party membership of the resulting policies, taking the other party's allocation as given. The party's committee allocations are denoted as $C_{i} \in \chi_{i}, i=m, M$. Together, these form committees with composition $\left\{C_{x}, C_{y}\right\}$.

Let $p^{*}=\left\{x^{*}, y^{*}\right\}$ denote the equilibrium policy. We assume that the utility of a member of party $i$ whose preferred policy is $\{x, y\}$ is given by
$U^{i}\left(p^{*} \mid x, y\right)=u_{i}-\alpha_{i}\left(x-x^{*}\right)^{2}-\beta_{i}\left(y-y^{*}\right)^{2}, \quad i=M, m$.

The parameters $\alpha_{i}$ and $\beta_{i}$ indicate party $i$ 's relative preference intensity for the policies $x$ and $y$, respectively, and $u_{i}>0$. The $\alpha_{i}$ and $\beta_{i}$ are assumed constant as members agree upon a "platform" to present to the public during elections. If the density of preferences, $f_{i}(x, y)$, is independent across

[^6]dimensions (i.e., $f_{i}(x, y)=g_{i}(x) h_{i}(y)$ for some density functions $g$ and $h$ ), party $i$ 's welfare function is ${ }^{19}$
$U_{i}\left(p^{*}\right)=k_{i}\left[\bar{u}_{i}-\alpha_{i}\left(\bar{x}_{i}-x^{*}\right)^{2}-\beta_{i}\left(\bar{y}_{i}-y^{*}\right)^{2}\right], \quad i=M, m$,
where $\bar{x}_{i}$ and $\bar{y}_{i}$ are party $i$ 's mean preferred policies in $x$ and $y$, and $\bar{u}_{i}$ is a constant. These form the ideal points for party $i$. The party shares, $k_{i}$, appear because we are summing across all party members. The effect of the preference parameters $\alpha_{i}$ and $\beta_{i}$ is seen by considering the indifference curves for each party:
$\left.\frac{d y}{d x}\right|_{d U_{i}=0}=-\frac{\alpha_{i}\left(\bar{x}_{i}-x\right)}{\beta_{i}\left(\bar{y}_{i}-y\right)}, \quad i=M, m$.
When $\alpha_{i}=\beta_{i}$, the indifference curves are circles, and when $\alpha_{i} \neq \beta_{i}$, the indifference curves are ellipses. As $\alpha_{i} \rightarrow 0$, party $i$ 's indifference curves in $x-y$ space become perfectly horizontal so only policies in the $y$ direction matter, and as $\beta_{i} \rightarrow 0$, they become perfectly vertical, so only $x$ policies matter.

As each committee is responsible only for its own issue (i.e., $x$ for $X$ and $y$ for $Y$ ), the committees' weighted preferences, $U_{C}$, depend upon the respective committees' preferences in each dimension. Let the (combined) committees' preferred policy be $C=\left\{\hat{x}_{C}, \hat{y}_{C}\right\}$, where $\hat{x}_{C}$ is the median in dimension $x$ for committee $X$ and $\hat{y}_{C}$ is the median in dimension $y$ for committee $Y$.

The parties can either accommodate one another, by stacking different committees with the extremists from their parties (so the moderates of one party are with the extremists of the other party, and vice versa), or the parties can confront one another, by stacking one committee with the extremists from both parties (implying the other committee is filled with moderates from both parties).

Let the committee memberships be chosen using an accommodation strategy, with committee $X$ having preferences closer to the minority party and committee $Y$ having preferences closer to the majority party. Suppose the committees do not cooperate on the floor. Then under the amendment process outlined above, combined with the unidimensional issue space for each

[^7]committee and the overlapping distributions, if the committees do not cooperate, committee $X$ obtains policy $x^{*}$ close to $\hat{x}_{C}$, since both the committee and the minority party-who has the amendment rights-are on the same side of the median voter in the legislature. However, any policy committee $Y$ proposes is amended by the minority party such that the equilibrium policy is $y^{*}=\hat{y}_{f}$, the floor median. Thus committee $X$ gets its way but $Y$ does not. However, the majority party can obtain policy $\left\{\hat{x}_{f}, \hat{y}_{f}\right\}$ if it counters actions of the minority so that each committee is homogeneous (denoted as $H$ ), that is, where each committee has preferences $\hat{x}_{C}=\hat{x}_{f}$ and $\hat{y}_{C}=\hat{y}_{f}$. Therefore the majority party wields a credible threat to force the minority party to cooperate.

In contrast, suppose each party chooses a strategy of confrontation on one committee. The confrontation committee will be bipolar, but the bipolar complement committee will be composed of centrist members. In this case, it does not matter whether or not the committees cooperate on the floor, since the bipolar complement committee will roughly reflect the floor and the bipolar committee will either reflect the floor or be less likely to be successful at the floor level.

Thus we assume the committees cooperate, in effect maximizing
$U_{C}\left(p^{*}\right)=\bar{u}_{C}-\alpha_{C}\left(\bar{x}_{C}-x^{*}\right)^{2}-\beta_{C}\left(\bar{y}_{C}-y^{*}\right)^{2}$,
where $\alpha_{C}=\varphi_{x}\left(C_{M}, C_{m}, k_{M}\right)$ and $\beta_{C}=\varphi_{y}\left(C_{M}, C_{m}, k_{M}\right)$ are the preferences for committee $X$ and committee $Y$ in their respective dimensions, where the weighting functions $\varphi_{x}$ and $\varphi_{y}$ each have nonnegative first derivatives in the committee allocations for each party.

Once the parties have selected the committee memberships, the committees are formed and the policy recommendations are sent to the floor, where the amendment procedure $b-a-p$ is followed. Following Weingast (1989) and Krehbiel and Meirowitz (1999), we assume the floor votes occur with only three voters: the majority party $M$ (with ideal point $\left\{\bar{x}_{M}, \bar{y}_{M}\right\}$ ), the minority party $m$ (with ideal point $\left\{\bar{x}_{m}, \bar{y}_{m}\right\}$ ), and the (cooperating) committees $C$ (with ideal point $\left\{\hat{x}_{C}, \hat{y}_{C}\right\}$ ). However, unlike Weingast (1989), where the preferences of the committees are given exogenously, here the committee preferences $C$ depend upon how the parties allocate their members to the two committees $X$ and $Y$.

The game is played as follows. First, the parties choose the committee allocations $C_{M}$ and $C_{m}$, simultaneously and noncooperatively, yielding committee preferences $C$. Once the committees are formed, the floor voting occurs according to an amendment procedure wherein the committees send bill $b \equiv\left\{x_{b}, y_{b}\right\}$ to the floor, the minority party offers an amendment $a \equiv\left\{x_{a}, y_{a}\right\}$, and the committees reply with a perfecting amendment $p \equiv\left\{x_{p}, y_{p}\right\}$. The bill $b$ must be capable of beating the status quo $q$. Thus $b \in W_{C}(q)$, the win-set for $q$ (the set of policies that garner at least a majority vote against $q$ ). The subscript $C$ indicates that the win-set depends upon the committees composition $C$. The amendment $a$ must be able to beat both the bill $b$ and the
status quo $q$, that is, $a \in W_{C}(q) \cap W_{C}(b)$. Finally, the perfecting amendment $p$ must be able to beat $a, b$, and $q$, that is, $p \in W_{C}(q) \cap W_{C}(b) \cap W_{C}(a)$. In equilibrium, the policy $p^{*}$ equals the perfecting amendment $p$.

The game is analyzed by backwards induction. In the final stage of the game, the committees choose the perfecting amendment $p$ to maximize $U_{C}$, taking as given the committees preferences $C$, the status quo $q$, the committee bill $b$, and the minority party's amendment to the committee bill, $a$ :

$$
\begin{align*}
& p^{*}(C, q, b, a)=\underset{p}{\operatorname{argmax}} U_{C}(p), \\
& \quad \text { subject to } p \in W_{C}(q) \cap W_{C}(b) \cap W_{C}(a) . \tag{3}
\end{align*}
$$

The minority party chooses the amendment $a$ to maximize its own utility, taking as given the committee preferences, the status quo, the committee bill, and the equilibrium perfecting amendment $p^{*}$ :

$$
\begin{equation*}
a^{*}(C, q, b)=\underset{a}{\operatorname{argmax}} U_{m}\left(p^{*}(C, q, b, a)\right), \quad \text { s.t. } a \in W_{C}(q) \cap W_{C}(b) . \tag{4}
\end{equation*}
$$

The committee chooses the bill $b$ to maximize its utility, taking as given the committee preferences, the status quo, and the equilibrium behavior of the committee in choosing its perfecting amendment $p^{*}$ and the equilibrium behavior of the minority party $m$ in choosing its amendment $a^{*}$ :

$$
\begin{equation*}
b^{*}(C, q)=\underset{b}{\operatorname{argmax}} U_{C}\left(p^{*}\left(C, q, b, a^{*}(C, q, b)\right)\right), \quad \text { s.t. } b \in W_{C}(q) . \tag{5}
\end{equation*}
$$

Finally, the parties choose $C_{i}, i=m, M$, to maximize their own utilities taking $C_{-i}^{*}$ as given:

$$
\begin{gather*}
C_{i}^{*}=\underset{C_{i}}{\operatorname{argmax}} U_{i}\left(p^{*}\left(C, q, b^{*}(C, q), a^{*}\left(C, q, b^{*}(C, q)\right)\right)\right), \\
\text { s.t. } C_{i} \in \chi_{i}, \quad i=M, m . \tag{6}
\end{gather*}
$$

Following Weingast (1989), Figure 2 illustrates how a "structure-induced equilibrium" is derived for a given committee ideal point $C$, a given status quo $q$, and the amendment procedure described above. In Figure 2, the status quo is outside the Pareto set $P S_{C}$ (the interior of the points $M, m$, and $C$ ). The committees' objective is to maximize $U_{C}$ subject to majority rule and the amendment process.

Bill $b \in W_{C}(q)$ offered by the committees is a compromise between the preferred policy of the majority $M$ and the committees $C$. The win-set $W_{C}(q) \cap W_{C}(b)$ has two subsets: one with winning coalition $(M, m)$ and one with winning coalition $(m, C)$. Party $m$ chooses amendment $a$ in the latter subset of $W_{C}(q) \cap W_{C}(b)$ to restrict the perfecting amendment $p$ offered by the committees afterwards to the subset of $W_{C}(q) \cap W_{C}(b) \cap W_{C}(a)$ that contains $p$ rather than the other subset that contains the point $E$. In this way the minority party ensures that it will attain the highest possible utility at the end of the game. Moving back one step, bill $b$ is chosen to make $p^{*}$ as close


Figure 2. Structure-induced equilibrium for $q \notin P S, C \neq H$, and amendment procedure $b-a-p$.
to $C$ as possible. As the reader can demonstrate, if bill $b$ were chosen closer to $M$ (say at $\hat{b}$ ), then the corresponding $\hat{a}$ (not shown) would be chosen on the boundary of $W_{C}(q) \cap W_{C}(\hat{b})$ in the lens containing $H$, making $C$ worse off. Similarly, if $C$ chooses $b$ closer to $C$ (say at $\tilde{b}$ ), then it becomes possible for $m$ to choose the corresponding $\tilde{a}$ (not shown) in the uppermost subset of $W_{C}(q) \cap W_{C}(\tilde{b})$, making $C$ worse off.

The committees' right to propose bills gives the committees the ability to play the two parties off one another. In equilibrium, the perfecting amendment is adopted with the support of the committees $C$ and the minority party $m$. This occurs because the minority party has the right to offer amendments to the bill $b$. By forming a coalition with the majority party on bill $b$, the committees ensure that the amendment-perfecting process moves the bill closer to the committees' preferred position. If the bill $b$ coalition was formed with the minority party, the amendment offered by the minority party would move the bill even closer to $m$ 's preferred position and away from the committees' preferred position.

Figure 3 shows how the equilibrium is obtained for $q \in P S_{C}$. In this case, the committees $C$ chooses $b$ such that the minority party $m$ has no amendment in the subset of $W_{C}(q)$ closest to $m$ (i.e., the subset of $W_{C}(q)$ with winning coalition $(m, C))$ that beats $b ; C$ can do better by forcing the


Figure 3. Structure-induced equilibrium for $q \in P S, C \neq H$, and amendment procedure $b-a-p$.
amendment $a$ into the subset of $W_{C}(q)$ with winning coalition $(M, C)$. As in Figure 2, the amendment $a$ is chosen such that the perfecting amendment $p$ will be chosen in the subset of $W_{C}(q) \cap W_{C}(b) \cap W_{C}(a)$ that is closest to $m$ (i.e., $C$ prefers $p$ to point $F$, the best it can do in the subset of $W_{C}(q) \cap W_{C}(b) \cap W_{C}(a)$ closest to $\left.M\right)$. The winning coalition for the policy $p$ is again ( $m, C$ ), the minority party and the committees.

In Figures 2 and 3, the nonhomogeneous committees position $C$ is taken as given. However, suppose the committees are homogeneous. In this case, the committees' ideal point is located at the points labeled $H$ in Figures 2 and 3. The Pareto set $P S_{H}$ is simply the line connecting $m, H$, and $M$. More importantly, if $\alpha_{i}=\beta_{i}$ for each party, then when committees $H$ propose bill $b^{*}=H$, that bill cannot be amended (i.e., $W_{H}(H)=\emptyset$ when the parties' indifference curves are circles). The equilibrium policy is thus $p^{*}(H)=H \cdot{ }^{20}$ In Figures 2 and 3, both parties prefer $p^{*}(H)=H$ to $p^{*}(C)=p$. Thus if each party has similar intensity preferences over the two policies, there is no room for either party to improve its welfare by stacking the committees, so

[^8]each party's committee delegation is representative of the party. Indeed, if one party desired to make the committee different from the floor, the other party would improve its own welfare by pushing the committees back toward the floor means $H$, that is, to stack the committee in the opposite direction.

### 3.2. Accommodation on Committee Assignments

Next, we show that if the parties have preferences for different policies, the committees will appear as classical committee outliers-and outliers in opposite directions will occur. Since the parties stack each committee in the same direction, we call this outcome accommodation. Figure 4 considers the case where the parties each care only about one of the policies, for example, $\alpha_{M}=\beta_{m}=1$ and $\beta_{M}=\alpha_{m}=0$. Thus each party's preferences are lexicographic, with the minority party preferring any policy with $y=\bar{y}_{m}$ and the majority party preferring any policy with $x=\bar{x}_{M}$. Given these preferences, one would expect gains from trade by stacking the committees, and Figure 4 shows that this is the case. Suppose the committees are homogeneous, so the committees' ideal points are at $H$. By choosing bill $b_{H}=H$ (with win-set $W_{H}(H)$ in the southeast quadrant from $H$ ), the committees force the minority party to offer an amendment such as $a_{H}=\left\{\bar{x}_{M}, \bar{y}_{m}\right\}$. The

$\square W_{C}(q)$
$\square W_{H}(q) \cap W_{H}\left(b_{H}\right)$
$W_{C}(q) \cap W_{C}\left(b_{C}\right)$
$\square W(q) \cap W\left(b_{C}\right) \cap W\left(a_{C}\right)$
Figure 4. Structure-induced equilibrium committees with extreme party preferences, $q \notin P S$.
$W_{H}(q) \cap W_{H}\left(b_{H}\right) \cap W_{H}\left(a_{H}\right)$ set thus consists of the portions of the horizontal and vertical lines passing through $a_{H}$ that offer higher utility to the committees $H$. As drawn, the committees $H$ indifference curve (drawn as a solid line) that is tangent to $p_{H}$ passes just to the left of the point $G$. Thus by choosing amendment $a_{H}$, the minority party forces the committees $H$ to offer the perfecting amendment $p_{H} \cdot{ }^{21}$ Similarly, if the committees are located with ideal point $C$, then by offering bill $b_{C}$, the committees force the minority party to offer amendment $a_{C} \cdot{ }^{22}$ The minority party's amendment $a_{C}$ forces the committees $C$ to choose $p_{C}$ over a point like $I$ (committees $C$ 's indifference curves are dot-dashed-dot lines).

For either a homogeneous or a nonhomogeneous committee, the minority party, by virtue of its amendment-offering status, obtains a policy close to (equal to, as drawn) its preferred policy. The majority party fails to obtain its preferred policy either with committees $H$ or $C$, but it does better with $C$ than with $H$. Therefore, with extreme party preferences, part of the gains from trade of stacking the committees is attained, and the committees will be classical committee outliers. Thus, even with an amendment process that favors the minority party, the majority party is most likely to stack the committees, since the amendment process and the preferences of the parties favors the minority party. ${ }^{23}$ Accommodation implies that one committee will be stacked with the left tail of both party distributions and the complement committee will be stacked with the right tail of both party distributions. Thus not all committee outliers will appear in the same ideological direction.

### 3.3. Confrontation on Committee Assignments

Next, consider what happens when one of the parties is extremist, but the other is not. In this case, the extremist party will attempt to skew one committee in the direction it prefers, and this will affect both committees' preferences. The other party is thus forced to confront the extremist party, by stacking its memberships in the opposite direction as the extremist party.

Figure 5 shows what happens when the minority party $m$ is extremist in that it prefers $\bar{y}_{m}$ to any other policy, but the majority party $M$ places equal weight on each policy. In this case, $m$ prefers the equilibrium policy $p_{C}$, obtained with nonhomogeneous committees $C$, to the policy $p_{H}$, obtained with homogeneous committees $H .{ }^{24}$ However, the majority party prefers $p_{H}$

[^9]

Figure 5. Structure-induced equilibrium committees with extreme minority party preferences.
to $p_{C}$. Thus the majority party will stack committee $Y$ to increase $\bar{y}_{C}$, and the minority party will push committee $Y$ back toward $\bar{y}_{f}$. This result also holds when the majority party is the one with strong preferences for a particular committee. Whenever one party has strong preferences for a particular policy, the committee that each party tries to stack will appear to be a bipolar outlier, and the other committee will appear as a bipolar complement. Thus a bipolar outlier will be stacked with members from the right tail of the Republican party distribution and the left tail of the Democratic party distribution. The bipolar complement will be stacked with the left tail of the Republican party distribution and the right tail of the Democratic party distribution.

## 4. A Test of the Party Competition Hypothesis

A test of our hypothesis is available by utilizing the comparative statics presented in Section 3. One way to test the results on the effect of party preferences for how the committees are stacked would be to obtain measures

[^10]of party preferences utilizing the content of party political advertisements or party platforms. Unfortunately, such data would have to be available for a long enough time period and for enough policies that more than one committee could be included in the analysis. Since such data is not readily available, we searched for an alternative measure.

The U.S. Congress is composed of two houses, the House and the Senate, and each has a separate committee system. Although the committees do not exactly overlap, there is enough of a correspondence that we can observe how the parties stack committees of similar jurisdictions in each house. ${ }^{25}$ Thus for each committee, we use party differences in median between a Senate committee and the Senate party membership to explain the corresponding House difference in median. ${ }^{26}$ The Senate differences in medians are likely to be correlated with party policy preferences, but uncorrelated with contemporaneous errors on explaining House party differences in medians (cf., Levitt, 1996). Thus the model we estimate is of the form
$H_{c p r t}=\beta_{1} S_{c p r t}+\beta_{2} S_{\tilde{c} p r t}+\beta_{3} S_{c \tilde{c r r t}}+\beta_{4} S_{\tilde{c} \tilde{p} r t}+\beta_{5} \hat{x}_{p r t}+\beta_{6} \hat{x}_{\tilde{p} r t}+\varepsilon_{c p r t}$,
where $H_{c p r t}$ is the difference in median between the House and the committee membership for committee $c$ for party $p$ for rating $r$ in Congress $t ; S_{c p r t}$ is the corresponding Senate difference in median; $S_{\tilde{c} q r t}$ is the mean Senate difference in median for all committees other than $c$ for party $q=p, \tilde{p}$; and the $\hat{x}_{q r t}$ are the party median ratings for party $q=p, \tilde{p}$. The hypotheses are that $\beta_{1}>0, \beta_{2}<0, \beta_{3}>0, \beta_{4}<0$, and $\beta_{5}$ and $\beta_{6}$ indeterminate. $\beta_{1}>0$ occurs because as a party's preferences for a particular committee's policy increases, the party will stack that committee more heavily. $\beta_{2}<0$ follows from the notion that if the party stacks some other committee more heavily, it must stack the present committee less so. $\beta_{3}>0$ occurs because as the other party's preferences become more extreme, the party must confront on that committee. $\beta_{4}<0$ because increased confrontation on other committees means less confrontation on this committee. The other variables are included to control for differences in the location (as opposed to the intensity) of party preferences and to control for the relative shares of party memberships.

[^11]Table 2 presents ordinary least square estimation results of Equation (7) using the Senate data to explain House committee allocations. The results are presented for the Congress as a whole and for Democrats and Republicans, separately. The first three columns report regressions including only the variables in the table. The last three columns (the "fixed effects model") present regressions including dummy variables for the committees, the ratings, and the Congress.

The model supports the hypotheses regarding how a party will choose to stack a committee based on the weights it and the other party place on different committees. ${ }^{27}$ Both the own party weights and the other party weights for the committee have positive coefficients, implying the parties stack committees when their own preferences for the committee's policy increases and when the preferences the other party holds for the committee's policy increases. Of interest, the own party weight for Democrats is about half the magnitude of the other party weight, while for Republicans this is reversed. This seems to suggest that Republicans during this period were stacking committees largely based on their own preferences, while Democrats were paying particular attention to how the Republicans stacked the committees. The own party weights on other committees and the other party weights on other committees each are negative and significant, as predicted.

## 5. A Reexamination of Alternative Hypotheses Tests

While the tests in Table 2 are supportive of our model, a number of hypotheses appear in the literature for which similar claims have been made. However, most of the previous tests have really been tests of the preference outlier hypothesis-we argue that little space has been devoted to directly testing the representative majority party or the informative committees hypotheses. ${ }^{28}$ In addition, the previous tests have not explicitly controlled for the institutional restrictions. In this section we provide new tests for each of the competing hypotheses of the organization of Congress.

The null and alternative hypotheses implied by the different congressional organization hypotheses are given in Table 3. The most common form of hypothesis tests in the preference outlier literature are the difference in medians tests based on interest group ratings, such as those in Table 1. For each standing committee and each interest group rating, we created test statistics

[^12]Table 2. Policy Preferences, Party Power and House Committee Allocations

| Variable | OLS Regressions |  |  | Fixed Effects Model |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Whole Congress <br> (1) | Democrats <br> (2) | Republicans <br> (3) | Whole Congress (4) | Democrats <br> (5) | Republicans <br> (6) |
| Own party weight same committee | $\begin{gathered} * * * \mathbf{0 . 2 2 2} \\ (11.23) \end{gathered}$ | $\begin{gathered} \text { *** } 0.072 \\ (3.16) \end{gathered}$ | $\begin{gathered} * * * \mathbf{0 . 3 3 3} \\ (10.70) \end{gathered}$ | $\begin{gathered} * * * \boldsymbol{0} 224 \\ (11.21) \end{gathered}$ | $\begin{gathered} * * * 0.071 \\ (3.09) \end{gathered}$ | $\begin{gathered} * * \boldsymbol{*} . \mathbf{3 3 2} \\ (10.40) \end{gathered}$ |
| Own party weight other committees | $\begin{gathered} { }^{* *}-\mathbf{0 . 1 7 6} \\ (-2.34) \end{gathered}$ | $\begin{gathered} 0.102 \\ (1.25) \end{gathered}$ | $\begin{gathered} * * *-\mathbf{0 . 4 2 8} \\ (-3.24) \end{gathered}$ | $\begin{gathered} *-0.146 \\ (-1.80) \end{gathered}$ | $\begin{gathered} 0.096 \\ (1.02) \end{gathered}$ | $\begin{gathered} \text { *** }-\mathbf{0 . 3 9 6} \\ (-2.60) \end{gathered}$ |
| Other party weight same committee | $\begin{gathered} { }^{* * *} \mathbf{0 . 1 5 6} \\ (7.86) \end{gathered}$ | $\begin{gathered} * * * \mathbf{0 . 1 6 2} \\ (8.18) \end{gathered}$ | $\begin{gathered} * * * * \mathbf{0 . 1 4 8} \\ (4.19) \end{gathered}$ | $\begin{gathered} * * * 0.158 \\ (7.91) \end{gathered}$ | $\begin{gathered} * * * \mathbf{0 . 1 6 4} \\ (8.17) \end{gathered}$ | $\begin{gathered} { }^{* * *} \mathbf{0 . 1 5 1} \\ (4.17) \end{gathered}$ |
| Other party weight other committees | $\begin{gathered} * * *-\mathbf{0 . 2 4 6} \\ (-3.27) \end{gathered}$ | $\begin{gathered} { }^{* *}-\mathbf{0 . 1 7 6} \\ (-2.11) \end{gathered}$ | $\begin{gathered} * *-0.292 \\ (-2.29) \end{gathered}$ | $\begin{gathered} * *-\mathbf{0 . 2 0 0} \\ (-2.47) \end{gathered}$ | $\begin{gathered} * *-0.103 \\ (-1.08) \end{gathered}$ | $\begin{gathered} { }^{* *}-\mathbf{0 . 3 4 2} \\ (-2.30) \end{gathered}$ |
| Own party's floor median | $\begin{gathered} * * *-\mathbf{0 . 0 6 8} \\ (-5.53) \end{gathered}$ | $\begin{gathered} { }^{* * *}-\mathbf{0 . 0 6 2} \\ (-4.60) \end{gathered}$ | $\begin{gathered} { }^{* * * *}-\mathbf{0 . 0 7 3} \\ (-2.90) \end{gathered}$ | $\begin{gathered} * * *-0.069 \\ (-3.28) \end{gathered}$ | $\begin{gathered} *-0.048 \\ (-1.77) \end{gathered}$ | $\begin{gathered} \text { * }-0.079 \\ (-1.95) \end{gathered}$ |
| Other party's floor median | $\begin{gathered} * * *-\mathbf{0 . 0 3 6} \\ (-2.91) \end{gathered}$ | $\begin{gathered} * *-\mathbf{0 . 0 3 6} \\ (-2.21) \end{gathered}$ | $\begin{gathered} *-0.038 \\ (-1.78) \end{gathered}$ | $\begin{gathered} *-0.035 \\ (-1.68) \end{gathered}$ | $\begin{gathered} * *-0.063 \\ (-2.51) \end{gathered}$ | $\begin{gathered} *-0.083 \\ (-0.19) \end{gathered}$ |
| Observations | 2016 | 2016 | 1008 | 1008 | 1008 | 1008 |
| $\overline{R^{2}}$ | 0.109 | 0.124 | 0.133 | 0.129 | 0.141 | 0.133 |
| $F$-statistic | ${ }^{* * *} 35.31$ | ***20.20 | ***23.06 | ***7.94 | ***5.57 | ***5.30 |

Dependent variable is the difference in the party committee median and party floor median by committee, rating, and Congress for the House of Representatives. Data from the 96 th to 102 nd Congress is used. There are 1008 observations for each party ( 9 ratings, 7 Congresses, and 16 committees) and 2016 for both parties combined. Estimated $t$-ratios are reported in parentheses. Significance in a two-tailed test is indicated by asterisks (***significant at the $1 \%$ level; *significant at the $5 \%$ level; *significant at the $10 \%$ level). All statistically significant results are in bold font. The OLS regressions use the reported variables plus a constant. The fixed effects model regressions include dummy variables for the committees, the ratings, and the Congresses (but no interaction terms). "Own party weight same committee" is the equivalent committee Senate difference in median for the party by rating, by committee, and by Congress. "Own party weight other committees" is the mean of the equivalent committee Senate difference in median for all other committees, by party, by rating, by committee, and by Congress. "Other party weight same committee" and "Other party weight other committees" are constructed similarly for the other party. "Party share in the House" is the party's share of the floor membership by Congress. "Own party median" and "Other party median" are the party floor median by rating and by Congress.
for the difference in medians, $d_{p q}=m_{p c}-m_{q f}$, and the ratio of standard deviations, $r_{A A}=s_{A c} / s_{A f}$, where $m_{p c}\left(s_{A c}\right)$ is the committee median (standard deviation) for party $p$, and $m_{q f}\left(s_{A f}\right)$ is the floor median (standard deviation) for party $q$, where $p, q=A$ (all members), $D$ (Democratic members only), or $R$ (Republican members only). Each null hypothesis in Table 3 presents the respective hypothesis' concept of a "randomly drawn" committee. Also given is the condition under which each hypothesis would be supported by the evidence. In the informative committees and the representative majority party hypotheses, acceptance of the null hypothesis provides evidence in support of the hypothesis, but in the preference outlier and party competition hypotheses, the hypothesis is supported if the null hypothesis is rejected. Acceptance of the preference outlier hypothesis implies rejection of the informative committees hypothesis, but it is possible for a committee to not support either hypothesis. Neither the representative majority party hypothesis nor the party competition hypothesis is directly related to the other two hypotheses.

### 5.1. Permutation Tests of the Alternative Hypotheses

A test based on resampling, in which the actual committee system is compared against many alternative systems that could have been formed, is a natural way to determine whether the dispersion of members across committees can be considered to be due to random assignment or is so unusual that it must be regarded as a consequence of other factors. A parametric test would be more difficult to justify in this context; we cannot assume we have been given a committee system that is a random sample, as required in classical statistics, but instead conduct a test to determine how plausible the assumption of randomness would be [e.g., Noreen (1989:3), Mooney and Duval (1993:4-9), Groseclose (1994b:441)].

We use a resampling method based on empirical distributions of different "permutations" of the committee system in the Congress [e.g., Noreen $(1989: 46)] \cdot{ }^{29}$ Each permutation of the committee system is a sample drawn without replacement. ${ }^{30}$ This allows us to keep a number of structural

[^13]Table 3. Summary of Congressional Organization Hypotheses

| Hypothesis | Null | Alternative | Criteria to Accept Hypothesis |
| :---: | :---: | :---: | :---: |
| Preference outlier ${ }^{\text {a }}$ | $\mathrm{H}_{0}: d_{A A}=0$ | $\mathrm{H}_{\mathrm{A}}: d_{A A} \neq 0$ | Reject $\mathrm{H}_{0}$ |
| Informative committees ${ }^{\text {b }}$ | $\mathrm{H}_{0}: d_{A A}=0$ and $r_{A A} \geq 1$ | $H_{A}$ : Either $d_{A A} \neq 0$ or $r_{A A}<1$ | Accept $\mathrm{H}_{\text {o }}$ |
| Representative majority party ${ }^{\text {c }}$ | $H_{0}: d_{A D}=0$ | $H_{A}: d_{A D} \neq 0$ | Accept $\mathrm{H}_{0}$ |
| Party competition: accommodation ${ }^{d}$ | $\mathrm{H}_{0}: d_{D D}=0$ \& $d_{R R}=0$ | $\begin{aligned} & \mathrm{H}_{\mathrm{A}}: d_{D D}>0 \& d_{R R}>0, \\ & \text { and }{ }^{e} d_{D D}<0 \& d_{R R}<0 \end{aligned}$ | Reject $\mathrm{H}_{\text {o }}$ |
| Party competition: confrontation, balanced intensities of preferences ${ }^{d}$ | $\mathrm{H}_{0}: d_{D D}=0 \& d_{R R}=0$ | $\mathrm{H}_{\mathrm{A}}: d_{D D} \neq 0$ or $d_{R R} \neq 0$ | Accept $\mathrm{H}_{0}$ |
| Party competition: confrontation, unbalanced intensities of preferences ${ }^{d}$ | $\mathrm{H}_{0}: d_{D D}=0 \& d_{R R}=0$ | $\begin{aligned} & \mathrm{H}_{A}: d_{D D}>0 \& d_{R R}<0, \\ & \text { and }{ }^{e} d_{D D}<0 \& d_{R R}>0 \end{aligned}$ | Reject $\mathrm{H}_{0}$ |

[^14]characteristics of the Congress intact in our empirical tests. First, each pseudo-committee has the same number of Democratic and Republican members as appear on the actual committee. Second, each member appears on the same distinct number of pseudo-committees as the actual number of committees on which he or she actually sits. Third, each member allocated to a committee has the actual multidimensional vector of preferences over different policies held by that individual. ${ }^{31}$ Thus all committees are formed jointly, and each committee is composed of members with the complete set of attributes of the actual members of the floor, including ratings vectors and number of committee assignments. ${ }^{32}$

For a given test statistic $S \in\left\{d_{p q}, r_{A A}\right\}$ we create a vector of pseudo-test statistics $\left\{S^{b}\right\}$ formed for permutation $j=1, \ldots, B$. The statistical tests are based on the empirical distributions of the $S^{b}$ and the observed test statistic $S$. We report the achieved significance level (ASL), a measure of how extreme the test statistic $S$ is. ${ }^{33}$ The ASL's are calculated as $A S L(t)=\min [($ nge + 1) $/(B+1),($ nle +1$) /(B+1)]$, where nge and nle are the number of $S^{b}$ greater than and less than $S$, respectively (Noreen, 1989:14-19). All of our results are based on distributions with $B=2000 .{ }^{34}$

### 5.2. The Preference Outlier, Informative Committees, and Representative Majority Party Hypotheses

We present the results of the hypothesis tests using the permutation methodology in Tables 4 and 5. In each case the test statistic is reported, and test statistics that reject the null hypothesis in a two-tailed test at the $90 \%(*)$,
draw from the universe of possible committee systems that are valid, given the constraints on committee memberships.
31. This feature has not been incorporated into other resampling tests in the literature. However, it is consistent with our theoretical model which allows for heterogeneous preferences over multiple policy dimensions. By way of contrast, the bootstrap technique (Mooney and Duval 1993; Groseclose, 1994a) implicitly allows some members to serve on a committee more than once. In addition, by forming each committee independently, these authors and Groseclose (1994b) also implicitly assume that each member's ratings vector can be shuffled with other members. Thus, for example, the seat on a committee occupied by (liberal) Ted Kennedy with respect to the ADA rating might be occupied by (conservative) Jesse Helms for the COC rating (cf. Londregan and Snyder, 1994).
32. Groseclose (1994b:447) forms the committees simultaneously on each of the ten committees on which he tests the preference outlier hypothesis. However, he does not appear to control for committee party memberships or for differences in the number of committees on which each member sits, and he does not report whether or not this technique was used in his other hypothesis tests.
33. Our results indicate that the sampling without replacement (permutation) procedure we use gives similar results in terms of variance to the sampling with replacement (bootstrapping) procedures used by previous authors. The two results are similar because the committee sizes are small relative to the size of the House.
34. To see if our results were sensitive to the relatively small samples we drew-Groseclose (1994b) used 20,000 observations-we reproduced our results for the 97 th Congress using 10,000 pseudo-committees, and the ASL results did not change out to four digits in almost all cases, and out to three digits in all cases.
Table 4. Tests of Alternative Hypotheses, 97th-102nd Congress

|  |  | Classical Preference Outlier Hypothesis$\left(H_{0}: d_{A A}=0\right)$ |  |  |  |  |  | Informative Committees Hypothesis$\left(H_{0}: r_{A A} \geq 1\right)$ |  |  |  |  |  | Representative Majority Party Hypothesis$\left(\mathrm{H}_{0}: d_{A D}=0\right)$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Committee | Congress Rating | 97th (1) | 98th (2) | 99th (3) | 100th (4) | 101st (5) | 102nd (6) | $\begin{array}{r} 97 \text { th } \\ (7) \end{array}$ | 98th (8) | 99th (9) | $\begin{array}{r} \text { 100th } \\ (10) \end{array}$ | $\text { 101st } 10$ (11) | 102nd (12) | $\begin{aligned} & \text { 97th } \\ & \text { (13) } \end{aligned}$ | $\begin{aligned} & 98 \text { th } \\ & \text { (14) } \end{aligned}$ | $\begin{aligned} & \text { 99th } \\ & \text { (15) } \end{aligned}$ | $\begin{array}{r} \text { 100th } \\ \text { (16) } \end{array}$ | $\begin{array}{r} \text { 101st } \\ (17) \end{array}$ | $\begin{array}{r} \text { 102nd } \\ (18) \end{array}$ |
| Agriculture | ADA <br> LCV <br> NTU | $\begin{array}{r} -7 \\ -6 \\ 1 \end{array}$ | $\begin{gathered} -7.5 \\ -9 \\ 6 \end{gathered}$ | $\begin{gathered} -5 \\ { }_{* *}^{-9.5}{ }_{-9}^{* * 5} \end{gathered}$ | $\begin{gathered} -12.5 \\ { }^{* *}-16 \\ { }_{* *} \mathbf{*} 5 \end{gathered}$ | $\begin{array}{r} -10 \\ *-12 \\ * * 13 \end{array}$ | $\begin{array}{r} -6 \\ * * *-\mathbf{2 5} \\ 12 \end{array}$ | $\begin{array}{r} * * * 0.92 \\ 1.11 \\ 0.97 \end{array}$ | $\begin{array}{r} \text { *** } 0.86 \\ 0.99 \\ 0.91 \end{array}$ | $\begin{array}{r} * * * 0.85 \\ 0.96 \\ \\ \\ \hline * * * \\ 0.84 \end{array}$ |  | $\begin{aligned} & { }^{* * *} 0.86 \\ & { }^{* * *} 0.90 \\ & { }^{* *} \mathbf{0 . 9 0} \end{aligned}$ | $\begin{array}{r} * * * 0.80 \\ 1.07 \\ { }^{* * *} 0.07 \end{array}$ | $\begin{array}{r} -39 \\ -22 \\ 13 \\ 12 \end{array}$ | $\begin{aligned} & -35 \\ & -23.5 \\ & 20 \end{aligned}$ | $\begin{array}{r} -35 \\ { }^{* *}-23 \\ { }^{* *} \mathbf{1 2} \end{array}$ |  |  | $\begin{array}{r} -31 \\ * *-37 \\ \quad 36 \end{array}$ |
| Appropriations | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{gathered} 9 \\ -4.5 \end{gathered}$ | $\begin{gathered} 0 \\ -3.5 \end{gathered}$ | ${ }^{* * *}-5$ | ${ }^{* * *} \begin{array}{r} 5 \\ 6 \end{array}$ | $\begin{array}{r} 5 \\ *-12 \end{array}$ | $\begin{array}{r} 3 \\ -9 \end{array}$ | $\begin{array}{r} 1.03 \\ * * 0.78 \end{array}$ | $\begin{aligned} & 0.96 \\ & 0.98 \end{aligned}$ |  | $\begin{array}{r} { }^{* * *} 0.93 \\ 0.91 \end{array}$ | $\begin{array}{r} 0.98 \\ * * * 0.87 \end{array}$ | $\begin{aligned} & 1.04 \\ & 0.84 \end{aligned}$ | $\begin{aligned} & -23 \\ & 7.5 \end{aligned}$ | $\begin{array}{r} -27.5 \\ 10.5 \end{array}$ | ${ }_{* * *}^{-25}$ | $\begin{array}{r} -20 \\ * * * \end{array}$ | $\begin{array}{r} -15 \\ { }^{15} \end{array}$ | $\begin{array}{r} -22 \\ 15 \end{array}$ |
| Armed Services | $\begin{aligned} & \text { ADA } \\ & \text { NSI } \end{aligned}$ | $\begin{array}{r} * * *-18 \\ { }^{* * *} 37 \end{array}$ | $\begin{gathered} { }^{* * *}-27.5 \\ { }_{* * *}{ }^{*} 30 \end{gathered}$ | $\begin{array}{r} * * *-25 \\ { }^{* * *} 44 \end{array}$ | $\begin{array}{r} * * *-25 \\ { }^{* * *} 45 \end{array}$ | $\stackrel{{ }^{* *}-12.5}{{ }_{* * *}+40}$ | $\begin{array}{r} * *-20 \\ { }^{* *} 30 \end{array}$ | $\begin{aligned} & { }^{* *} 0.87 \\ & { }^{* * *} 0.81 \end{aligned}$ | $\begin{array}{r} * * 0.87 \\ * * * 0.83 \end{array}$ | $\begin{aligned} & { }^{* * *} 0.84 \\ & { }^{* * *} 0.79 \end{aligned}$ | $\begin{aligned} & * * * 0.87 \\ & { }^{* * *} 0.84 \end{aligned}$ | $\begin{gathered} * * * 0.94 \\ { }^{* * *} 0.89 \end{gathered}$ | $\begin{array}{r} * * 0.91 \\ { }^{* *} 0.93 \end{array}$ | $\begin{array}{r} * * *-50 \\ * * * 67 \end{array}$ | ${ }_{* * * *}^{* * *}+55$ | $\begin{array}{r} * * *-55 \\ * * * 80 \end{array}$ | $\begin{array}{r} * * *-50 \\ { }^{* * *} 85 \end{array}$ | $\begin{gathered} { }^{* *}-32.5 \\ { }^{* * *} 80 \end{gathered}$ | $\begin{array}{r} * *-45 \\ { }^{* *} 60 \end{array}$ |
| Banking, Finance, and Urban Affairs | $\begin{aligned} & \text { ADA } \\ & \text { CFA } \\ & \text { COC } \end{aligned}$ | $\begin{gathered} { }^{*} \mathbf{2 1} \\ 4.5 \\ -6.5 \end{gathered}$ | $\begin{array}{r} 15 \\ 8 \\ 3 \end{array}$ | $\begin{array}{r} 20 \\ 0 \\ 3 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \\ & 6 \end{aligned}$ | $\begin{array}{r} 10 \\ 0 \\ 0 \end{array}$ | $\begin{array}{r} -3 \\ 0 \\ 7 \end{array}$ | $\begin{aligned} & 0.97 \\ & 1.00 \\ & 0.96 \end{aligned}$ | $\begin{aligned} & 1.03 \\ & 1.04 \\ & 1.01 \end{aligned}$ | $\begin{aligned} & 0.97 \\ & 0.96 \\ & 1.00 \end{aligned}$ | $\begin{array}{r} 1.00 \\ 1.01 \\ * * * 0.93 \end{array}$ | $\begin{aligned} & 1.05 \\ & 1.02 \\ & 0.98 \end{aligned}$ | $\begin{aligned} & 1.06 \\ & 1.08 \\ & 1.00 \end{aligned}$ | $\begin{array}{r} *-\mathbf{1 1} \\ -21.5 \\ 25.5 \end{array}$ | $\begin{gathered} -12.5 \\ -15 \\ 17 \end{gathered}$ | $\begin{array}{r} -10 \\ -17 \\ -12 \end{array}$ | $\begin{array}{r} -25 \\ -17 \\ 22 \end{array}$ | $\begin{array}{r} -10 \\ -9 \\ 14 \end{array}$ | $\begin{array}{r} -28 \\ -17 \\ -17 \end{array}$ |
| Budget | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{gathered} 1 \\ -3.5 \end{gathered}$ | $\begin{gathered} 7.5 \\ -8 \end{gathered}$ | $$ | $\begin{aligned} & 5 \\ & 2.5 \end{aligned}$ | $\begin{aligned} & -10 \\ & 7.5 \end{aligned}$ | $\begin{aligned} & 8.5 \\ & 2 \end{aligned}$ | $\begin{aligned} & 0.97 \\ & 0.91 \end{aligned}$ | $\begin{aligned} & 1.05 \\ & 1.12 \end{aligned}$ | $\begin{aligned} & 1.06 \\ & 1.09 \end{aligned}$ | $\begin{aligned} & 1.01 \\ & 1.03 \end{aligned}$ | $\begin{aligned} & 1.01 \\ & 1.01 \end{aligned}$ | $\begin{aligned} & 1.02 \\ & 0.84 \end{aligned}$ | $\begin{array}{r} -31 \\ 8.5 \end{array}$ | $\begin{array}{r} -20 \\ 6 \end{array}$ | $\begin{array}{r} -25 \\ * * 12 \end{array}$ | $\begin{aligned} & -20 \\ & 8.5 \end{aligned}$ | $\begin{aligned} & -30 \\ & 24.5 \end{aligned}$ | $\begin{gathered} -16.5 \\ 26 \end{gathered}$ |
| District of Columbia | ADA <br> ACLU | $\begin{array}{r} 37 \\ * * * 33 \end{array}$ | $\begin{gathered} 27.5 \\ * * * \end{gathered}$ | $\begin{aligned} & * * 40 \\ & * * * 37.5 \end{aligned}$ | $\begin{array}{r} 15 \\ * * 37 \end{array}$ | $\begin{array}{r} * * 30 \\ * * * 30 \\ { }^{*}+3 \end{array}$ | $\begin{aligned} & * * * 41 \\ & * * 40.5 \end{aligned}$ | $\begin{aligned} & 1.18 \\ & 1.23 \end{aligned}$ | $\begin{aligned} & 1.03 \\ & 1.27 \end{aligned}$ | $\begin{aligned} & 1.01 \\ & 1.03 \end{aligned}$ | $\begin{aligned} & 1.19 \\ & 1.20 \end{aligned}$ | $\begin{aligned} & 1.32 \\ & 1.36 \end{aligned}$ | $\begin{aligned} & 1.40 \\ & 1.39 \end{aligned}$ | ${ }_{* * *}^{5}$ | $\begin{array}{r} 0 \\ { }^{* * *} 29 \end{array}$ | $\begin{aligned} & { }^{* *} 10 \\ & * * 17.5 \end{aligned}$ | $\begin{array}{r} -10 \\ { }^{* *} 9 \end{array}$ | $\begin{aligned} & { }^{* *} 10 \\ & * * * \end{aligned}$ | $\begin{aligned} & * * * 16 \\ & * * * 19 \end{aligned}$ |
| Education and Labor | $\begin{aligned} & \text { ADA } \\ & \text { COPE } \end{aligned}$ | $\begin{aligned} & 1 \\ & 3 \end{aligned}$ | $\begin{array}{r} 20 \\ * 23 \end{array}$ | $\begin{aligned} & { }^{* *} 27.5 \\ & * * * 26 \end{aligned}$ | $\begin{array}{r} { }^{* * 22.5} \\ { }^{* *} 23.5 \end{array}$ | $\begin{array}{r} 10 \\ * * 21 \end{array}$ | $\begin{array}{r} * * 25 \\ * * * 23 \end{array}$ | $\begin{aligned} & 1.07 \\ & 1.06 \end{aligned}$ | $\begin{array}{r} * * * \mathbf{0 . 8 9} \\ 1.03 \end{array}$ | $\begin{array}{r} * * \mathbf{0 . 8 8} \\ 1.05 \end{array}$ | $\begin{array}{r} * * * 0.92 \\ 1.03 \end{array}$ | $\begin{aligned} & 0.94 \\ & 1.11 \end{aligned}$ | $\begin{aligned} & 1.00 \\ & 1.08 \end{aligned}$ | $\begin{aligned} & -31 \\ & -25 \end{aligned}$ | $\begin{aligned} & -7.5 \\ & *-1 \end{aligned}$ | $\begin{aligned} & { }^{* *}-2.5 \\ & { }^{* * *}-1 \end{aligned}$ | $\begin{aligned} & { }^{* *}-2.5 \\ & { }^{* *}-1.5 \end{aligned}$ | $\begin{array}{r} -10 \\ { }_{* *} \end{array}$ | $\begin{array}{r} * * 0 \\ * * * 2 \end{array}$ |
| Energy and Commerce | $\begin{aligned} & \text { ADA } \\ & \text { LCV } \\ & \text { COC } \end{aligned}$ | $\begin{array}{r} 21 \\ \text { } \begin{array}{r} * * \mathbf{2 2} \\ * *-\mathbf{2 8} \end{array}, ~ \end{array}$ | $\begin{array}{r} 15 \\ 9 \\ -5 \end{array}$ | $\begin{gathered} 5 \\ 9.5 \\ -3 \end{gathered}$ | $\begin{aligned} & 5 \\ & 2.5 \\ & 0 \end{aligned}$ | $\begin{array}{r} 0 \\ 0 \\ -4 \end{array}$ | $\begin{aligned} & 3 \\ & 0 \\ & 3 \end{aligned}$ | $\begin{aligned} & 0.96 \\ & 1.01 \\ & 0.99 \end{aligned}$ | $\begin{aligned} & 1.08 \\ & 1.03 \\ & 1.08 \end{aligned}$ | $\begin{aligned} & 1.09 \\ & 1.02 \\ & 1.02 \end{aligned}$ | $\begin{aligned} & 1.06 \\ & 1.07 \\ & 1.09 \end{aligned}$ | $\begin{aligned} & 1.05 \\ & 1.05 \\ & 1.02 \end{aligned}$ | $\begin{aligned} & 1.08 \\ & 1.00 \\ & 1.11 \end{aligned}$ | $\begin{aligned} & -11 \\ & { }^{* * * 6} \\ & \\ & { }^{* *} 4 \end{aligned}$ | $\begin{gathered} -12.5 \\ -5.5 \\ 9 \end{gathered}$ | $\begin{array}{r} -25 \\ -4 \\ 6 \end{array}$ | $\begin{aligned} & -20 \\ & -12.5 \\ & 16 \end{aligned}$ | $\begin{array}{r} -20 \\ -19 \\ 10 \end{array}$ | $\begin{array}{r} -22 \\ -12 \\ 17 \end{array}$ |
| Foreign Affairs | $\begin{aligned} & \text { ADA } \\ & \text { NSI } \\ & \text { LCV } \end{aligned}$ | $\begin{gathered} * \mathbf{2 6} \\ -23 \\ 12.5 \end{gathered}$ | $\begin{gathered} 22.5 \\ * * \\ { }_{* *}^{* * 14} \end{gathered}$ | $\begin{gathered} 20 \\ { }^{* *}+\mathbf{3 6} \\ { }^{* * *} \mathbf{2 2 . 5} \end{gathered}$ | $\begin{array}{r} 15 \\ -25 \\ * * * 21 \end{array}$ | $\begin{array}{r} 15 \\ *-30 \\ +\quad 30 \\ * * 19 \end{array}$ | $\begin{array}{r} * * 19 \\ { }^{* *}+28 \\ { }^{* * *} 25 \end{array}$ | $\begin{array}{r} 0.98 \\ 0.98 \\ { }^{* * *} \mathbf{0 . 9 0} \end{array}$ | $\begin{aligned} & 0.97 \\ & 1.03 \\ & 0.93 \end{aligned}$ | $\begin{aligned} & 1.02 \\ & 0.98 \\ & 0.97 \end{aligned}$ | $\begin{aligned} & 1.04 \\ & 1.00 \\ & 0.96 \end{aligned}$ | $\begin{aligned} & 0.93 \\ & 0.98 \\ & 0.94 \end{aligned}$ | $$ | $\begin{gathered} *-6 \\ 7 \\ -3.5 \end{gathered}$ |  | $\begin{array}{r} -10 \\ { }_{* *}^{* *} 0 \\ * * \end{array}$ | $\begin{array}{r} -10 \\ +5 \\ { }^{* * *} 6 \end{array}$ | $\begin{array}{r} -5 \\ \begin{array}{c} * \\ \hline 10 \\ * \\ * \end{array} 0 \end{array}$ | $\begin{array}{r} { }^{* *}-6 \\ { }_{* * *}^{* *} \mathbf{2} \end{array}$ |
| Government Operations | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{aligned} & -2 \\ & -2 \end{aligned}$ | 2.5 2 | 5 -2 | $\begin{array}{r} 20 \\ -3 \end{array}$ | $\begin{array}{r} 15 \\ *-13 \end{array}$ | 8 -3 | 1.04 1.02 | ***0.96 | $\begin{aligned} & 1.05 \\ & 1.11 \end{aligned}$ | $\begin{aligned} & 0.96 \\ & 0.91 \end{aligned}$ | $\begin{aligned} & 1.01 \\ & 0.98 \end{aligned}$ | $\begin{aligned} & 0.98 \\ & 0.95 \end{aligned}$ | $\begin{array}{r} -34 \\ 10 \end{array}$ | $\begin{array}{r} -25 \\ 16 \end{array}$ | $\begin{array}{r} -25 \\ 4 \end{array}$ | $\begin{array}{r} -5 \\ 3 \end{array}$ | $\begin{aligned} & -5 \\ & { }_{*} 4 \end{aligned}$ | -17 -11 |
| House Administration | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | -8.5 | *-14 ${ }^{7.5}$ | 15 -2 |  | $\begin{array}{r} 2.5 \\ *-\mathbf{1 6 . 5} \end{array}$ | **-26 | $\begin{aligned} & 1.08 \\ & 1.04 \end{aligned}$ | $\begin{aligned} & 0.91 \\ & 1.19 \end{aligned}$ | $\begin{aligned} & 1.06 \\ & 1.07 \end{aligned}$ | $\begin{aligned} & 1.07 \\ & 1.13 \end{aligned}$ | $\begin{aligned} & 1.03 \\ & 1.07 \end{aligned}$ | $\begin{aligned} & 1.03 \\ & 0.87 \end{aligned}$ | $\begin{gathered} -28.5 \\ 4 \end{gathered}$ | $\begin{array}{r} -20 \\ { }^{20} \end{array}$ | $\begin{array}{r} -15 \\ 4 \end{array}$ | $\begin{array}{r} -20 \\ 2.5 \end{array}$ | $\begin{array}{r}-17.5 \\ * \\ \hline 0.5\end{array}$ | $\begin{array}{r} -17 \\ { }^{* *}-2 \end{array}$ |
| Interior and Insular Affairs | $\begin{aligned} & \text { ADA } \\ & \text { LCV } \end{aligned}$ | 9 7 | * $\begin{gathered}-17.5 \\ -6\end{gathered}$ | 10 | $\begin{array}{r} 15 \\ -5 \end{array}$ | 7.5 0.5 | 14 12 | 1.08 1.08 | 1.12 1.20 | 1.15 1.22 | 1.15 1.26 | $\begin{aligned} & 1.06 \\ & 1.13 \end{aligned}$ | $\begin{aligned} & 1.09 \\ & 1.25 \end{aligned}$ | -23 -9 | $*-45$ -20.5 | $\begin{aligned} & -20 \\ & -12.5 \end{aligned}$ | $\begin{aligned} & -10 \\ & -20 \end{aligned}$ | -12.5 -18.5 | -11 |

Table 4. Continued

|  |  | Classical Preference Outlier Hypothesis$\left(H_{0}: d_{A A}=0\right)$ |  |  |  |  |  | Informative Committees Hypothesis$\left(\mathrm{H}_{0}: r_{A A} \geq 1\right)$ |  |  |  |  |  | Representative Majority Party Hypothesis$\left(H_{0}: d_{A D}=0\right)$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Committee | Congress Rating | 97th <br> (1) | 98th <br> (2) | 99th <br> (3) | 100th <br> (4) | 101st (5) | 102nd <br> (6) | 97th <br> (7) | 98th <br> (8) | 99th (9) | 100th <br> (10) | $\begin{array}{r} \text { 101st } \\ (11) \end{array}$ | 102nd <br> (12) | 97th <br> (13) | 98th <br> (14) | 99th <br> (15) | 100th <br> (16) | 101st <br> (17) | 102nd <br> (18) |
| Judiciary | $\begin{gathered} \mathrm{ADA} \\ \mathrm{ACLU} \end{gathered}$ | $\begin{array}{r} -2 \\ 7 \end{array}$ | $\begin{aligned} & * 22.5 \\ & \\ & \text { ** } 21 \end{aligned}$ | $\begin{array}{r} 15 \\ * * * 20 \end{array}$ | $\begin{aligned} & 15 \\ & 23 \end{aligned}$ | $\begin{array}{r} * * 20 \\ 10 \end{array}$ | $\begin{array}{r} * * 19 \\ 10 \end{array}$ | $\begin{aligned} & 1.08 \\ & 1.10 \end{aligned}$ | $\begin{aligned} & 1.11 \\ & 1.19 \end{aligned}$ | $\begin{aligned} & 1.15 \\ & 1.16 \end{aligned}$ | $\begin{aligned} & 1.16 \\ & 1.15 \end{aligned}$ | $\begin{aligned} & 1.16 \\ & 1.12 \end{aligned}$ | $\begin{aligned} & 1.09 \\ & 1.07 \end{aligned}$ | $\begin{array}{r} -34 \\ -6 \end{array}$ | $\begin{array}{r} *-5 \\ * * \mathbf{4} \end{array}$ | $\begin{array}{r} -15 \\ * * * \end{array}$ | $\begin{array}{r} -10 \\ -5 \end{array}$ | $\begin{gathered} * * \mathbf{0} \\ -6.5 \end{gathered}$ | $\begin{gathered} * *-6 \\ -11.5 \end{gathered}$ |
| Merchant Marine and Fisheries | $\begin{aligned} & \text { ADA } \\ & \text { LCV } \\ & \text { NTU } \end{aligned}$ | $\begin{gathered} 9.5 \\ 7 \\ -5 \end{gathered}$ | $\begin{array}{r} 7.5 \\ 5.5 \\ -6.5 \end{array}$ | $\begin{gathered} -2.5 \\ -5 \\ 0 \end{gathered}$ | $\begin{array}{r} -10 \\ -4 \\ 1 \end{array}$ | $\begin{aligned} & -5 \\ & -3 \\ & 5.5 \end{aligned}$ | $\begin{array}{r} -9 \\ 0 \\ 8 \end{array}$ | $\begin{array}{r} 0.96 \\ * \mathbf{1 . 1 4} \\ 0.87 \end{array}$ | $\begin{array}{r} * 0.92 \\ 0.92 \\ { }^{*} \mathbf{0 . 8 6} \end{array}$ | $\begin{array}{r} { }^{* *} 0.92 \\ 1.00 \\ 1.04 \end{array}$ | $\begin{array}{r} { }^{* * *} \mathbf{0 . 8 5} \\ 0.97 \\ { }^{*} \mathbf{0 . 8 5} \end{array}$ | $\begin{array}{r} * 0.92 \\ 0.98 \\ * \mathbf{0 . 9 2} \end{array}$ | $\begin{array}{r} * * 0.90 \\ 1.01 \\ 1.73 \end{array}$ | $\begin{gathered} -22.5 \\ -9 \\ 7 \end{gathered}$ | $\begin{gathered} -20 \\ -9 \\ 7.5 \end{gathered}$ | $\begin{gathered} -32.5 \\ -18.5 \\ 6 \end{gathered}$ | $\begin{array}{r} -35 \\ -19 \\ 7 \end{array}$ | $\begin{aligned} & -25 \\ & -22 \\ & 22.5 \end{aligned}$ | $\begin{array}{r} -34 \\ -12 \\ 32 \end{array}$ |
| Post Office and Civil Service | $\begin{aligned} & \text { ADA } \\ & \text { COPE } \end{aligned}$ | $\begin{array}{r} * 29 \\ * * * 33 \end{array}$ | 20 $* 19$ | $\begin{array}{r} * * * 37.5 \\ * * 26.5 \end{array}$ | $\begin{array}{r} * * 27.5 \\ * 25.5 \end{array}$ | $\begin{array}{r} * * 25 \\ * 21 \end{array}$ | $\begin{aligned} & * 19.5 \\ & \text { *20 } \end{aligned}$ | $\begin{aligned} & 1.09 \\ & 1.20 \end{aligned}$ | $\begin{aligned} & 1.10 \\ & 1.12 \end{aligned}$ | $\begin{aligned} & 1.09 \\ & 1.00 \end{aligned}$ | $\begin{aligned} & 0.96 \\ & 0.92 \end{aligned}$ | $\begin{array}{r} * 0.84 \\ * * 0.78 \end{array}$ | $\begin{array}{r} 0.92 \\ * \mathbf{0 . 8 7} \end{array}$ | $\begin{array}{r} *-3 \\ * * * \end{array}$ | $\begin{aligned} & -7.5 \\ & *-5 \end{aligned}$ | $\begin{array}{r} * * * 7.5 \\ * *-0.5 \end{array}$ | $\begin{array}{r} *^{*} 2.5 \\ { }^{*} 0.5 \end{array}$ | $\begin{array}{r} * 5 \\ * 1 \end{array}$ | $\begin{aligned} & *-5.5 \\ & *-1 \end{aligned}$ |
| Public Works and Transportation | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{array}{r} -10 \\ 5 \end{array}$ | $\begin{aligned} & -2.5 \\ & -1.5 \end{aligned}$ | $\begin{array}{r} 7.5 \\ -2.5 \end{array}$ | $\begin{gathered} 0 \\ *-3.5 \end{gathered}$ | $\begin{array}{r} 0 \\ -7 \end{array}$ | $\begin{aligned} & -9 \\ & 4.5 \end{aligned}$ | $\begin{array}{r} * 0.92 \\ 1.00 \end{array}$ | $\begin{aligned} & 0.95 \\ & 0.90 \end{aligned}$ | $\begin{aligned} & 1.01 \\ & 0.98 \end{aligned}$ | $\begin{array}{r} 1.01 \\ * * 0.84 \end{array}$ | $\begin{aligned} & 1.02 \\ & 1.04 \end{aligned}$ | $\begin{aligned} & { }^{* *} 0.90 \\ & { }^{* *} 0.77 \end{aligned}$ | $\begin{array}{r} -42 \\ 17 \end{array}$ | $\begin{aligned} & -30 \\ & 12.5 \end{aligned}$ | $\begin{array}{r} -22.5 \\ 3.5 \end{array}$ | $\begin{aligned} & -25 \\ & * 2.5 \end{aligned}$ | $\begin{array}{r} -20 \\ 10 \end{array}$ | $\begin{array}{r} -34 \\ 28.5 \end{array}$ |
| Rules | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{gathered} 18 \\ * *-\mathbf{1 5 . 5} \end{gathered}$ | $\begin{gathered} 12.5 \\ *-\mathbf{1 7} \end{gathered}$ | $\begin{array}{r} 25 \\ -4 \end{array}$ | $\begin{array}{r} 15 \\ -2 \end{array}$ | $\begin{array}{r} 15 \\ -11 \end{array}$ | $\begin{array}{r} 14 \\ -21 \end{array}$ | $\begin{aligned} & 0.98 \\ & 0.93 \end{aligned}$ | $\begin{aligned} & 1.00 \\ & 1.21 \end{aligned}$ | $\begin{aligned} & 1.05 \\ & 0.85 \end{aligned}$ | $\begin{aligned} & 1.02 \\ & 0.80 \end{aligned}$ | $\begin{aligned} & 0.92 \\ & 0.95 \end{aligned}$ | $\begin{aligned} & 1.04 \\ & 0.91 \end{aligned}$ | $\begin{gathered} -14 \\ * *-3.5 \end{gathered}$ | $\begin{array}{r} -15 \\ *-3 \end{array}$ | $\begin{array}{r} -5 \\ 2 \end{array}$ | $\begin{array}{r} -10 \\ 4 \end{array}$ | $\begin{array}{r} -5 \\ 6 \end{array}$ | $\begin{array}{r} -11 \\ 3 \end{array}$ |
| Small Business | $\begin{aligned} & \text { ADA } \\ & \text { COC } \end{aligned}$ | $\begin{aligned} & 4 \\ & 5 \end{aligned}$ | $\begin{aligned} & 5 \\ & 0 \end{aligned}$ | $\begin{array}{r} -7.5 \\ 1.5 \end{array}$ | $\begin{aligned} & -2.5 \\ & -2.5 \end{aligned}$ | $\begin{aligned} & 0 \\ & 6 \end{aligned}$ | $\begin{aligned} & -3 \\ & 1.5 \end{aligned}$ | $\begin{aligned} & 0.97 \\ & 0.98 \end{aligned}$ | $\begin{aligned} & 0.96 \\ & 0.93 \end{aligned}$ | $\begin{aligned} & 1.03 \\ & 1.04 \end{aligned}$ | $\begin{aligned} & 0.98 \\ & 1.12 \end{aligned}$ | $\begin{aligned} & 1.05 \\ & 1.01 \end{aligned}$ | $\begin{aligned} & 1.00 \\ & 0.97 \end{aligned}$ | $\begin{array}{r} -28 \\ 37 \end{array}$ | $\begin{gathered} -22.5 \\ 14 \end{gathered}$ | $\begin{array}{r} -37.5 \\ 10.5 \end{array}$ | $\begin{array}{r} -27.5 \\ 13.5 \end{array}$ | $\begin{array}{r} -20 \\ 20 \end{array}$ | $\begin{array}{r} -28 \\ 15.5 \end{array}$ |
| Standards of Official Conduct | $\begin{gathered} \mathrm{ADA} \\ \mathrm{ACLU} \end{gathered}$ | $\begin{aligned} & -10 \\ & -10 \end{aligned}$ | $\begin{array}{r} -12.5 \\ -6.5 \end{array}$ | $\begin{aligned} & -5 \\ & -6 \end{aligned}$ | $\begin{aligned} & -12.5 \\ & -12 \end{aligned}$ | $\begin{array}{r} -17.5 \\ -8.5 \end{array}$ | $\begin{array}{r} -9 \\ 9 \end{array}$ | $\begin{array}{r} * \mathbf{0} .76 \\ 0.84 \end{array}$ | $\begin{aligned} & 1.06 \\ & 1.22 \end{aligned}$ | $\begin{aligned} & 1.00 \\ & 0.99 \end{aligned}$ | $\begin{aligned} & 1.04 \\ & 1.08 \end{aligned}$ | $\begin{aligned} & 1.02 \\ & 1.07 \end{aligned}$ | $\begin{aligned} & 1.19 \\ & 1.22 \end{aligned}$ | $\begin{aligned} & -42 \\ & -23 \end{aligned}$ | $\begin{aligned} & -40 \\ & -23.5 \end{aligned}$ | $\begin{aligned} & -35 \\ & -26 \end{aligned}$ | $\begin{aligned} & -37.5 \\ & -40 \end{aligned}$ | $\begin{aligned} & -37.5 \\ & -25 \end{aligned}$ | $\begin{aligned} & -34 \\ & -12.5 \end{aligned}$ |
| Science, Space and Technology | $\begin{aligned} & \text { ADA } \\ & \text { LCV } \end{aligned}$ | $\begin{aligned} & 9.5 \\ & 8 \end{aligned}$ | $\begin{gathered} -2.5 \\ 3 \end{gathered}$ | $\begin{aligned} & 0 \\ & 4.5 \end{aligned}$ | $\begin{array}{r} -5 \\ 7 \end{array}$ | $\begin{aligned} & 7.5 \\ & 7 \end{aligned}$ | $\begin{array}{r} *-11.5 \\ -6.5 \end{array}$ | $\begin{aligned} & 0.93 \\ & 0.93 \end{aligned}$ | $\begin{array}{r} * \\ \\ 0.92 \\ 0.94 \end{array}$ | $\begin{array}{r} * 0.93 \\ { }^{* * *} \mathbf{0 . 8 3} \end{array}$ | $\begin{array}{r} 0.96 \\ * * \\ \hline 0.83 \end{array}$ | $\begin{array}{r} * 0.94 \\ \text { ***} 0.82 \end{array}$ | $\begin{aligned} & 0.94 \\ & 1.13 \end{aligned}$ | $\begin{gathered} -22.5 \\ -8 \end{gathered}$ | $\begin{aligned} & -30 \\ & -11.5 \end{aligned}$ | $\begin{array}{r} -30 \\ -9 \end{array}$ | $\begin{array}{r} -30 \\ -8 \end{array}$ | $\begin{aligned} & -12.5 \\ & -12 \end{aligned}$ | $\begin{array}{r} *-36.5 \\ -18.5 \end{array}$ |
| Veterans' Affairs | $\begin{aligned} & \text { ADA } \\ & \text { NSI } \end{aligned}$ | $\begin{array}{r} -13 \\ * * 26 \end{array}$ | $\begin{gathered} -2.5 \\ 10 \end{gathered}$ | $\begin{array}{r} 0 \\ 22 \end{array}$ | $\begin{gathered} -12.5 \\ 20 \end{gathered}$ | $\begin{array}{r} -5 \\ 10 \end{array}$ | $\begin{array}{r} -14 \\ * * 40 \end{array}$ | $\begin{array}{r} 0.97 \\ * \mathbf{0 . 8 9} \end{array}$ | $\begin{aligned} & 1.01 \\ & 1.02 \end{aligned}$ | $\begin{array}{r} 0.94 \\ * \mathbf{0 . 9 4} \end{array}$ | $\begin{aligned} & 0.94 \\ & 1.00 \end{aligned}$ | $\begin{aligned} & 0.99 \\ & 1.00 \end{aligned}$ | $\begin{array}{r} * * 0.85 \\ 0.96 \end{array}$ | $\begin{array}{r} -45 \\ * * 56 \end{array}$ | $\begin{array}{r} -30 \\ 44.5 \end{array}$ | $\begin{array}{r} -30 \\ 58 \end{array}$ | $\begin{gathered} -37.5 \\ 60 \end{gathered}$ | $\begin{array}{r} -25 \\ 50 \end{array}$ | $\begin{array}{r} -39 \\ * * 70 \end{array}$ |
| Ways and Means | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{aligned} & 4 \\ & 0 \end{aligned}$ | $\begin{aligned} & 2.5 \\ & 5 \end{aligned}$ | $\begin{gathered} 1 \\ -0.5 \end{gathered}$ | $\begin{aligned} & 0 \\ & 1 \end{aligned}$ | $\begin{array}{r} 15 \\ -3 \end{array}$ | $\begin{array}{r} 11 \\ -10 \end{array}$ | $\begin{aligned} & 0.98 \\ & 0.90 \end{aligned}$ | $\begin{aligned} & 1.05 \\ & 1.03 \end{aligned}$ | $\begin{aligned} & 0.97 \\ & 1.05 \end{aligned}$ | $\begin{aligned} & 1.01 \\ & 1.17 \end{aligned}$ | $\begin{aligned} & 0.95 \\ & 1.02 \end{aligned}$ | $\begin{aligned} & 1.02 \\ & 0.94 \end{aligned}$ | $\begin{array}{r} -28 \\ 12 \end{array}$ | $\begin{array}{r} -25 \\ 19 \end{array}$ | $\begin{array}{r} -29 \\ 5.5 \end{array}$ | $\begin{array}{r} -25 \\ 7 \end{array}$ | $\begin{array}{r} -5 \\ 14 \end{array}$ | $\begin{array}{r} -14 \\ 14 \end{array}$ |

A positive (negative) sign on the test statistic $d_{A A}$ means the committee median rating is larger (smaller) than the floor median rating. These can be added to the floor medians in Table 1 to get the committee median. The achieved significance levels (ASL) are not reported (they are available from the authors). Significance in a two-tailed test (columns 1-6 and columns 13-18) or a one-tailed test (columns 7-12) is indicated by asterisks (***significant at the $1 \%$ level; ** significant at the $5 \%$ level; *significant at the $10 \%$ level). All statistically significant results are in bold font. See text for a description of the data used in the analysis and a description of the ASL calculations. All tests based on $B=2000$ permutations.
Table 5. Difference in Medians Tests by Party, 97th-102nd Congress.

|  |  | Committee Democrats ( $\mathrm{H}_{0}: d_{D D}=0$ ) |  |  |  |  |  | Committee Republicans ( $\mathrm{H}_{0}: d_{R R}=0$ ) |  |  |  |  |  | Characterization of Committee Type |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Committee | Congress Rating | 97th (1) | 98th (2) | 99th (3) | 100th (4) | 101st (5) | 102nd (6) | 97th (7) | 98th (8) | 99th (9) | $\begin{array}{r} \text { 100th } \\ (10) \end{array}$ | $\begin{gathered} \text { 101st } \\ (11) \end{gathered}$ | $\begin{array}{r} \text { 102nd } \\ (12) \end{array}$ | Democrats (13) | Republicans (14) | Whole (15) |
| Agriculture | ADA <br> LCV <br> NTU | $\begin{array}{r} -17 \\ -14 \\ -14 \\ \hline \end{array}$ | $\begin{aligned} & { }^{*-15} \\ & { }^{*}-9.5 \\ & { }^{* *} 11 \end{aligned}$ | $\begin{gathered} { }^{* *}-17.5 \\ { }^{*}-8.5 \\ { }^{* * *} 5 \end{gathered}$ | $\begin{array}{r} * *-\mathbf{2 0} \\ { }^{* * *}-\mathbf{1 9} \\ 1.5 \end{array}$ |  | $\begin{aligned} & * *-22 \\ & { }^{* * *}-25 \\ & { }^{* * *} 27.5 \end{aligned}$ | $\begin{gathered} { }^{* *}-1 \\ { }^{* *}-\mathbf{1 2 . 5} \\ 2 \end{gathered}$ | $\begin{gathered} 0 \\ -8.5 \\ 2 \end{gathered}$ | $\begin{gathered} 5 \\ -1 \\ -3.5 \end{gathered}$ | $\begin{gathered} 0 \\ -6 \\ -3.5 \end{gathered}$ | $\begin{array}{r} -5 \\ 0 \\ 1 \end{array}$ | $\begin{gathered} -2.5 \\ { }^{* *}-\mathbf{2 5} \\ 0 \end{gathered}$ | Conservative | Conservative | Accommodate |
| Appropriations | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{array}{r} 5 \\ -3 \end{array}$ | $\begin{array}{r} 0 \\ -3 \end{array}$ | $\underset{* * *-5}{0}$ | $\underset{* * *-4}{0}$ | $\begin{array}{r} 0 \\ * * \end{array}$ | $\begin{array}{r} 5 \\ -6 \end{array}$ | $\begin{array}{r} 0 \\ -3 \end{array}$ | $\begin{array}{r} 5 \\ -5 \end{array}$ | $\begin{array}{r} 5 \\ { }^{* * *}-10 \end{array}$ | ${ }_{* *}{ }_{-9}^{2.5}$ | $\begin{array}{r} 2.5 \\ { }^{* * *}-\mathbf{1 2 . 5} \end{array}$ | $\begin{gathered} 0 \\ * *-9.5 \end{gathered}$ | Liberal | Liberal | Accommodate |
| Armed Services | $\begin{aligned} & \text { ADA } \\ & \text { NSI } \end{aligned}$ | $\begin{gathered} { }^{* * *}-45 \\ { }^{* * *} 51 \end{gathered}$ | $\begin{aligned} & * * *-40 \\ & { }^{* * *} 64.5 \end{aligned}$ | $\begin{array}{r} * * *-40 \\ { }^{* * *} 60 \end{array}$ | $\begin{array}{r} { }^{* * *}-\mathbf{3 0} \\ { }^{* * *} \mathbf{6 0} \end{array}$ | $\begin{array}{r} * * *-20 \\ * * * 50 \end{array}$ | $\begin{aligned} & { }^{* * *}-28 \\ & { }^{* * *} 30 \end{aligned}$ | $\stackrel{*}{-0.5}$ | $\begin{array}{r} -5 \\ 0 \end{array}$ | $\begin{array}{r} -5 \\ 0 \end{array}$ | $\begin{gathered} -2.5 \\ 0 \end{gathered}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | Conservative | - | Accommodate |
| Banking, Finance and Urban Affairs | $\begin{aligned} & \text { ADA } \\ & \text { CFA } \\ & \text { COC } \end{aligned}$ | $\begin{array}{r} 5 \\ * * 15 \\ 0 \end{array}$ | $\begin{aligned} & 5 \\ & 2 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0.5 \\ & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \\ & 1 \end{aligned}$ | $\begin{aligned} & 5 \\ & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 5 \\ & 2.5 \\ & 0 \end{aligned}$ | $\begin{array}{r} * 14 \\ * 12 \\ -8 \end{array}$ | $\begin{array}{r} 5 \\ -3 \\ 5 \end{array}$ | $\begin{gathered} 7.5 \\ 4 \\ -5 \end{gathered}$ | $\begin{aligned} & -2.5 \\ & -4 \\ & -6 \end{aligned}$ | $\begin{array}{r} -5 \\ 0 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \\ & 0 \end{aligned}$ | - | - | Representative |
| Budget | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{gathered} -3 \\ 0.5 \end{gathered}$ | $\begin{aligned} & 5 \\ & 0 \end{aligned}$ | $\begin{aligned} & 10 \\ & 2.5 \end{aligned}$ | $\begin{aligned} & 5 \\ & 1.5 \end{aligned}$ | $\begin{gathered} 5 \\ -0.5 \end{gathered}$ | $\begin{array}{r} 5 \\ -2 \end{array}$ | $\begin{aligned} & 0 \\ & 3 \end{aligned}$ | $\begin{aligned} & 5 \\ & 9 \end{aligned}$ | $\begin{aligned} & 0 \\ & 7.5 \end{aligned}$ | $\begin{array}{r} -5 \\ 2 \end{array}$ | $\begin{gathered} 5 \\ -2.5 \end{gathered}$ | $\begin{array}{r} 0 \\ -5 \end{array}$ | - | - | Representative |
| District of Columbia | ADA ACLU | $\begin{array}{r} 16 \\ * * 22 \end{array}$ | $\begin{array}{r} 10 \\ * * * 33 \end{array}$ | $\begin{array}{r} 15 \\ * \\ \hline 20 \end{array}$ | $\begin{aligned} & * \mathbf{2 0} \\ & 19.5 \end{aligned}$ | $\begin{aligned} & { }^{* *} 17.5 \\ & { }^{* * *} 20 \end{aligned}$ | $\begin{aligned} & * * 22 \\ & +* 24 \end{aligned}$ | $\begin{gathered} 0 \\ -0.5 \end{gathered}$ | $\begin{gathered} 3 \\ -0.5 \end{gathered}$ | $\begin{aligned} & 5 \\ & 8 \end{aligned}$ | $\begin{aligned} & -5 \\ & -5 \end{aligned}$ | $\begin{aligned} & -5 \\ & -9 \end{aligned}$ | $\begin{aligned} & -2.5 \\ & -2.5 \end{aligned}$ | Liberal | - | Accommodate |
| Education and Labor | $\begin{aligned} & \text { ADA } \\ & \text { COPE } \end{aligned}$ | $\begin{aligned} & 5 \\ & 5.5 \end{aligned}$ | $\begin{array}{r} 0 \\ * 7 \end{array}$ | $\begin{array}{r} 10 \\ 6 \end{array}$ | $\begin{aligned} & 5 \\ & 5 \end{aligned}$ | $\begin{gathered} * * * 15 \\ * * * 7 \end{gathered}$ | $\begin{array}{r} 11 \\ * * * 8 \end{array}$ | $\begin{aligned} & 0 \\ & 3.5 \end{aligned}$ | $\begin{array}{r} 15 \\ 7 \end{array}$ | $\begin{array}{r} * * * 25 \\ 2 \end{array}$ | $\begin{array}{r} * * 15 \\ 9 \end{array}$ | $\begin{array}{r} { }^{* * 22.5} \\ 6.5 \end{array}$ | $\begin{aligned} & * 14 \\ & * 10 \end{aligned}$ | Liberal | Liberal | Accommodate |
| Energy and Commerce | $\begin{aligned} & \text { ADA } \\ & \text { LCV } \\ & \text { COC } \end{aligned}$ | $\begin{array}{r} 11 \\ 10 \\ -7 \end{array}$ | $\begin{gathered} 5 \\ { }^{*} \mathbf{1 0 . 5} \\ 0 \end{gathered}$ | $\begin{array}{r} 5 \\ 7 \\ -2 \end{array}$ | $\begin{array}{r} 0 \\ * * 11 \\ 0 \end{array}$ | $\begin{aligned} & 2.5 \\ & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 5 \\ & 0 \\ & 0 \end{aligned}$ | $\begin{gathered} * \mathbf{1 7} \\ 9.5 \\ -8 \end{gathered}$ | $\begin{gathered} 0 \\ -5.5 \\ 4 \end{gathered}$ | $\begin{array}{r} 0 \\ -5 \\ -3 \end{array}$ | $\begin{array}{r} -5 \\ 0 \\ 7 \end{array}$ | $\begin{array}{r} -5 \\ 0 \\ 1 \end{array}$ | $\begin{array}{r} -2.5 \\ -6.5 \\ 6.5 \end{array}$ | Liberal | - | Accommodate |
| Foreign Affairs | $\begin{aligned} & \text { ADA } \\ & \text { NSI } \\ & \text { LCV } \end{aligned}$ | $\begin{gathered} 11 \\ { }^{* *}-\mathbf{2 2 . 5} \\ 10 \end{gathered}$ | $\begin{gathered} 5 \\ -15.5 \\ * \mathbf{9} \end{gathered}$ | $\begin{array}{r} 10 \\ -10 \\ * * * \end{array}$ | $\begin{aligned} & { }^{* *} \mathbf{1 2 . 5} \\ & -10 \\ & { }^{*} 11 \end{aligned}$ | $\begin{array}{r} 5 \\ -10 \\ 6 \end{array}$ | $\begin{array}{r} 11 \\ -10 \\ * 13 \end{array}$ | $\begin{gathered} * 17 \\ { }^{* *}-27.5 \\ { }^{*} 217.5 \end{gathered}$ | $\begin{aligned} & 2.5 \\ & 0 \\ & 9.5 \end{aligned}$ | $\begin{array}{r} 0 \\ 0 \\ 11 \end{array}$ | $\begin{aligned} & -5 \\ & -5 \\ & 11 \end{aligned}$ | $\begin{gathered} * \mathbf{1 7 . 5} \\ *-10 \\ 10 \end{gathered}$ | $\begin{array}{r} 11 \\ * * \\ +20 \\ * * 25 \end{array}$ | Liberal | Liberal | Accommodate |
| Government Operations | ADA NTU | $\begin{aligned} & 2.5 \\ & 4.5 \end{aligned}$ | $\begin{array}{r} -5 \\ 3 \end{array}$ | $\begin{aligned} & 3 \\ & 2 \end{aligned}$ | $\begin{array}{r} -2.5 \\ 1.5 \end{array}$ | $\begin{aligned} & 7.5 \\ & 1 \end{aligned}$ | $\begin{array}{r} 0 \\ -2 \end{array}$ | $\begin{aligned} & 6 \\ & 3 \end{aligned}$ | $\begin{gathered} 7.5 \\ -11 \end{gathered}$ | $\begin{gathered} 0 \\ { }^{8} \mathbf{8 . 5} \end{gathered}$ | $\begin{array}{r} -5 \\ 1 \end{array}$ | $\begin{gathered} -5 \\ 7.5 \end{gathered}$ | $\begin{array}{r} 11 \\ 0 \end{array}$ | - | - | Representative |
| House Administration | $\begin{aligned} & \text { ADA } \\ & \text { NTU } \end{aligned}$ | $\begin{array}{r} 5 \\ -5 \end{array}$ | ${ }^{* *}-1.5$ | $\begin{gathered} 5 \\ -2.5 \end{gathered}$ | $\begin{array}{r} 0 \\ -2 \end{array}$ | $\begin{aligned} & 2.5 \\ & -4 \end{aligned}$ | $\begin{array}{r} 5 \\ -11 \end{array}$ | $\begin{aligned} & 0 \\ & 3 \end{aligned}$ | $\begin{array}{r} -5 \\ 3 \end{array}$ | $\begin{aligned} & 0 \\ & 1.5 \end{aligned}$ | $\begin{array}{r} -10 \\ 3 \end{array}$ | $\begin{aligned} & -5 \\ & 2.5 \end{aligned}$ | $\begin{aligned} & -2.5 \\ & -9.5 \end{aligned}$ | - | - | Representative |
| Interior and Insular Affairs | $\begin{aligned} & \text { ADA } \\ & \text { LCV } \end{aligned}$ | $\begin{array}{r} 5 \\ * * 17 \end{array}$ | $\begin{gathered} { }^{*} \mathbf{1 0} \\ 4.5 \end{gathered}$ | $\begin{array}{r} 10 \\ * * 15 \end{array}$ | $\begin{aligned} & 10 \\ & 7.5 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & 5 \\ & 6.5 \end{aligned}$ | $\begin{array}{r} 5 \\ -1 \end{array}$ | $\begin{array}{r} 0 \\ * * * \\ \hline 16 \end{array}$ | $\begin{array}{r} -5 \\ *-\mathbf{1 1} \end{array}$ | $\begin{array}{r} -5 \\ *-\mathbf{1 1} \end{array}$ | $\begin{array}{r} -5 \\ -12 \end{array}$ | $\begin{array}{r} 0 \\ *-25 \end{array}$ | Liberal | Conservative | Bipolar Outlier |
| Judiciary | $\begin{aligned} & \text { ADA } \\ & \text { ACLU } \end{aligned}$ | $\begin{aligned} & 0 \\ & 2 \end{aligned}$ | $\begin{array}{r} 10 \\ \text { ***22 } \end{array}$ | $\begin{array}{r} 10 \\ * 15 \end{array}$ | ${ }_{* *}^{7.5}$ | $\begin{aligned} & 10 \\ & 6.5 \end{aligned}$ | $\begin{gathered} 5 \\ 12.5 \end{gathered}$ | $\begin{aligned} & 3 \\ & 0 \end{aligned}$ | $\begin{array}{r} 0 \\ -7 \end{array}$ | $\begin{aligned} & -2.5 \\ & -1 \end{aligned}$ | $\begin{array}{r} *-\mathbf{1 0} \\ -5 \end{array}$ | $\begin{array}{r} -5 \\ -12 \end{array}$ | $\begin{aligned} & 0 \\ & 2 \end{aligned}$ | Liberal | - | Bipolar Outlier |

Table 5. Continued

|  |  | Committee Democrats ( $\left.\mathrm{H}_{0}: d_{D D}=0\right)$ |  |  |  |  |  | Committee Republicans ( $\left.\mathrm{H}_{0}: d_{R R}=0\right)$ |  |  |  |  |  | Characterization of Committee Type |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Committee | Congress Rating | 97th <br> (1) | 98th <br> (2) | 99th <br> (3) | 100th <br> (4) | 101st (5) | 102nd (6) | 97th <br> (7) | 98th <br> (8) | 99th (9) | 100th <br> (10) | 101st (11) | 102nd <br> (12) | Democrats (13) | Republicans <br> (14) | Whole (15) |
| Merchant Marine and Fisheries | ADA <br> LCV <br> NTU | $\begin{gathered} -6 \\ 6 \\ 0.5 \end{gathered}$ | $\begin{gathered} -10 \\ -3.5 \\ 2 \end{gathered}$ | $\begin{array}{r} -10 \\ -8 \\ 0 \end{array}$ | $\begin{array}{r} *-\mathbf{1 5} \\ -3.5 \\ 3.5 \end{array}$ | $\begin{gathered} *-7.5 \\ -6 \\ * 7.5 \end{gathered}$ | $\begin{array}{r} *-17 \\ 0 \\ 10 \end{array}$ |  | $\begin{gathered} 0 \\ 2.5 \\ * *-\mathbf{1 8} \end{gathered}$ |  | $\begin{array}{r} * 10 \\ 1 \\ *-8 \end{array}$ | $\begin{gathered} 7.5 \\ 0 \\ -4.5 \end{gathered}$ | $\begin{array}{r} 6 \\ 12 \\ 0 \end{array}$ | Conservative | Liberal | Bipolar Complement |
| Post Office and Civil Service | $\begin{aligned} & \text { ADA } \\ & \text { COPE } \end{aligned}$ | $\begin{array}{r} 8 \\ * * * 17 \end{array}$ | $\begin{array}{r} 5 \\ * * * \end{array}$ | $\begin{gathered} \text { *12.5 } \\ * * * 11 \end{gathered}$ | $\begin{array}{r} 10 \\ * * 8 \end{array}$ | $\begin{gathered} 10 \\ * * * 6.5 \end{gathered}$ | $\begin{aligned} & 11 \\ & * 5.5 \end{aligned}$ | $\begin{array}{r} 0 \\ -1 \end{array}$ | $\begin{aligned} & -5 \\ & -4 \end{aligned}$ | $\begin{aligned} & 2.5 \\ & 5.5 \end{aligned}$ | $\begin{aligned} & 10 \\ & 12 \end{aligned}$ | $\begin{aligned} & * * 35 \\ & * * 40 \end{aligned}$ | $\begin{aligned} & \quad{ }^{*} 19.5 \\ & * * * 34 \end{aligned}$ | Liberal | Liberal | Accommodate |
| Public Works and Transportation | ADA <br> NTU | $\begin{array}{r} -11 \\ -1 \end{array}$ | $\begin{array}{r} -5 \\ 0 \end{array}$ | $\begin{aligned} & 0 \\ & 1 \end{aligned}$ | $\begin{gathered} 0 \\ * *-2.5 \end{gathered}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & -11 \\ & * 13 \end{aligned}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{array}{r} 0 \\ -1 \end{array}$ | $\begin{gathered} 5 \\ -6.5 \end{gathered}$ | ${ }^{* *}-\mathbf{- 2 . 5}$ | $\begin{array}{r} -5 \\ 2 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | - | - | Representative |
| Rules | ADA NTU | $\begin{array}{r} 5 \\ *-8 \end{array}$ | $\begin{array}{r} -5 \\ * *-16 \end{array}$ | $\begin{array}{r} 0 \\ -2 \end{array}$ | $\begin{aligned} & 0 \\ & 1 \end{aligned}$ | $\begin{aligned} & 5 \\ & 5 \end{aligned}$ | $\begin{array}{r} 0 \\ -10 \end{array}$ | $\begin{array}{r} 0 \\ -1 \end{array}$ | $\begin{gathered} -2.5 \\ 7 \end{gathered}$ | $\begin{aligned} & -2.5 \\ & -4 \end{aligned}$ | $\begin{aligned} & -5 \\ & -4.5 \end{aligned}$ | $\begin{gathered} 7.5 \\ -8 \end{gathered}$ | $\begin{array}{r} 0.5 \\ -2.5 \end{array}$ | Liberal | - | Accommodate |
| Small Business | $\begin{aligned} & \text { ADA } \\ & \text { COC } \end{aligned}$ | $\begin{array}{r} 5 \\ -4 \end{array}$ | $\begin{gathered} -2.5 \\ 4 \end{gathered}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & -5 \\ & -3 \end{aligned}$ | $\begin{array}{r} 0 \\ * 7 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{gathered} 7.5 \\ -18 \end{gathered}$ | $\begin{array}{r} 2.5 \\ -5.5 \end{array}$ | $\begin{aligned} & 0 \\ & 3 \end{aligned}$ | $\begin{array}{r} -5 \\ * * 13 \end{array}$ | $\begin{gathered} -7.5 \\ 1 \end{gathered}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | - | - | Representative |
| Standards of Official Conduct | $\begin{aligned} & \text { ADA } \\ & \text { ACLU } \end{aligned}$ | $\begin{aligned} & -20 \\ & -18 \end{aligned}$ | $\begin{gathered} 7.5 \\ 20 \end{gathered}$ | $\begin{gathered} 0 \\ -2.5 \end{gathered}$ | $\begin{aligned} & 5 \\ & 7.5 \end{aligned}$ | $\begin{aligned} & 5 \\ & 9.5 \end{aligned}$ | $\begin{gathered} 16 \\ * * 21.5 \end{gathered}$ | $\begin{aligned} & 4.5 \\ & 1.5 \end{aligned}$ | $\begin{array}{r} 2.5 \\ -6.5 \end{array}$ | $\begin{aligned} & 2.5 \\ & 0 \end{aligned}$ | $\begin{aligned} & -5 \\ & -2.5 \end{aligned}$ | $\begin{aligned} & 7.5 \\ & 5 \end{aligned}$ | $\begin{gathered} 6 \\ -0.5 \end{gathered}$ | - | - | Representative |
| Science, Space and Technology | $\begin{aligned} & \text { ADA } \\ & \text { LCV } \end{aligned}$ | $\begin{aligned} & -6.5 \\ & -5.5 \end{aligned}$ | $\begin{aligned} & -5 \\ & -2.5 \end{aligned}$ | $\begin{aligned} & -5 \\ & -7 \end{aligned}$ | $\begin{array}{r} * *-\mathbf{1 2 . 5} \\ -6.5 \end{array}$ | $\begin{aligned} & -2.5 \\ & -6 \end{aligned}$ | $\begin{aligned} & -8.5 \\ & -12 \end{aligned}$ | $\begin{gathered} 14 \\ * 13.5 \end{gathered}$ | $\begin{aligned} & 5 \\ & 4.5 \end{aligned}$ | $\begin{array}{r} 5 \\ * 16 \end{array}$ | $\begin{array}{r} 0 \\ { }^{* * *} 21 \end{array}$ | $\begin{array}{r} 0 \\ * * 19 \end{array}$ | $\begin{gathered} 0 \\ -6.5 \end{gathered}$ | - | Liberal | Bipolar Complement |
| Veterans' Affairs | $\begin{aligned} & \text { ADA } \\ & \text { NSI } \end{aligned}$ | $\begin{array}{r} * *-34 \\ { }^{* * *} 56 \end{array}$ | $\begin{array}{r} -10 \\ 4.5 \end{array}$ | $\begin{array}{r} *-15 \\ 5 \end{array}$ | $\begin{array}{r} -10 \\ 10 \end{array}$ | $\begin{array}{r} -5 \\ 10 \end{array}$ | $\begin{array}{r} * *-25 \\ * 20 \end{array}$ | $\begin{array}{r} 0 \\ -11 \end{array}$ | $\begin{aligned} & 0 \\ & 0 \end{aligned}$ | $\begin{array}{r} 5 \\ -10 \end{array}$ | $\begin{array}{r} -5 \\ 0 \end{array}$ | $\begin{aligned} & 5 \\ & 0 \end{aligned}$ | $\begin{aligned} & 6 \\ & 0 \end{aligned}$ | Conservative | - | Accommodate |
| Ways and Means | ADA <br> NTU | $\begin{array}{r} -17 \\ 1 \end{array}$ | $\begin{array}{r} 5 \\ -2 \end{array}$ | $\begin{array}{r} 0 \\ -1 \end{array}$ | $\begin{aligned} & 0 \\ & 1 \end{aligned}$ | $\begin{aligned} & 0 \\ & 2 \end{aligned}$ | $\begin{array}{r} 5 \\ *-10 \end{array}$ | $\begin{aligned} & 0 \\ & 1 \end{aligned}$ | $\begin{array}{r} -2.5 \\ 8.5 \end{array}$ | $\begin{aligned} & 0 \\ & 0.5 \end{aligned}$ | $\begin{aligned} & 0 \\ & 6 \end{aligned}$ | $\begin{array}{r} 12.5 \\ 0.5 \end{array}$ | $\begin{array}{r} 0 \\ -5 \end{array}$ | - | - | Representative |

[^15] level; ${ }^{* *}$ significant at the $5 \%$ level; *significant at the $10 \%$ level). All statistically significant results are in bold font.
$95 \%(* *)$ and $99 \%(* * *)$ confidence levels are indicated. ${ }^{35}$ However, in the case of the test on $r_{A A}$ for the informative committees hypothesis, the test is one-tailed because only a smaller committee variance rejects the null hypothesis. We also describe committees as being more "liberal" (more "conservative") if it has a higher (lower) ACLU, ADA, CFA, COPE, or LCV median rating than the House or if it has a lower (higher) COC, NTU, or NSI median rating than the House. In discussing the results, a committee is said to reject the null hypothesis only if the null hypothesis is rejected in two or more Congresses for any of the reported interest group ratings. We require two Congresses to be significant since the memberships of the committees do not change much from year to year, so the tests cannot be thought of as completely independent. ${ }^{36}$

The tests of the preference outlier hypothesis are contained in columns $1-6$ of Table 4. The preference outlier hypothesis is supported if the null hypothesis of $d_{A A}=0$ is rejected. Eleven of the 22 committees support the preference outlier hypothesis. Eight of these 11 committees are more liberal than the House as a whole (Appropriations, District of Columbia, Education and Labor, Foreign Affairs, House Administration, Judiciary, Post Office and Civil Service, and Rules), but three (Agriculture, Armed Services, and Veterans Affairs) are more conservative than the House as a whole.

The informative committees hypothesis is supported if neither $d_{A A}=0$ nor $r_{A A} \geq 0$ is rejected. This occurs in only 8 of the 22 committees according to columns 1-6 and columns 7-12 of Table 4. These committees include Banking, Finance and Urban Affairs, Budget, Energy and Commerce, Government Operations, Interior and Insular Affairs, Small Business, Standards of Official Conduct, and Ways and Means. A total of 11 committees reject the $d_{A A}=0$ part of the hypothesis and 10 committees reject the $r_{A A} \geq$ part of the hypothesis. Three committees (Merchant Marine and Fisheries, Public Works and Transportation, and Science, Space, and Technology) accept the no difference in medians part of the informative committees hypothesis, but reject the ratio of variance part of the hypothesis.

The tests of the representative majority party hypothesis are contained in columns $13-18$ of Table 4 . This hypothesis is supported if the null is not rejected, which occurs in 11 of the 22 committees. Of interest, the set of committees consistent with the representative majority party hypothesis

[^16]is exactly the opposite of the set of committees consistent with the preference outlier hypothesis, and all committees that support the informative committees hypothesis are also consistent with the representative majority party hypothesis.

### 5.3. The Party Competition Hypothesis

If one takes each of the alternative hypotheses as a method of describing the entire committee system-a point their proponents would undoubtedly argue against-then the results in Table 4 do not offer strong support for any of the alternative hypotheses that have been advanced in the literature. According to our statistical tests, these hypotheses can explain half, at most, of the observable committee outcomes.

The party competition hypothesis we have presented in this article does not offer testable hypotheses with the data used in Table 4. However, our model does offer a simple way in which committees may be categorized. In particular, we expect four general types of committees to appear, depending upon the relative preferences of the parties. When the preferences of each party are unbalanced, accommodation occurs, resulting in preference outlier committees. Not all committees can be preference outliers in the same (liberal or conservative) direction, however, so our model predicts that if preference outliers are observed, some will be in each ideological direction. When the preferences of one party are unbalanced but the preferences of the other party are balanced, we expect that confrontation will occur. This results in bipolar outliers-and our theory predicts these should occur concurrently with bipolar complements. Finally, when the preferences of the parties are relatively balanced, the parties choose committees with members representative of the party.

Table 3 displays hypotheses under which one might identify these three types of committees using difference in medians tests between the party committee membership and the party floor. Accommodation occurs if the null hypothesis in Table 3 is rejected in favor of $\mathrm{H}_{\mathrm{A}}: d_{p p}>0(<0)$ when $d_{q q} \geq 0(\leq 0)$, with $p \neq q=D, R$. Confrontation in the form of bipolar outliers occurs when the null hypothesis is rejected in favor of $H_{\mathrm{A}}: d_{D D}>0$ $(<0)$ when $d_{R R}<0(>0)$ for liberal (conservative) ratings, and bipolar outlier complements occurs when the null hypothesis is rejected in favor of $\mathrm{H}_{\mathrm{A}}: d_{D D}>0(<0)$ and $d_{R R}<0(>0)$ for conservative (liberal) ratings. Finally, representative committees, which occur when the parties have similar intensities of preferences, are observed when $d_{D D}=0$ and $d_{R R}=0$.

Table 5 presents the results of permutation tests of the party competition hypotheses. We see that parties stack committees with nonrandom members quite frequently. Democrats stack nine committees with more liberal members (Appropriations, District of Columbia, Education and Labor, Energy and Commerce, Foreign Affairs, Interior and Insular Affairs, Judiciary, Post Office and Civil Service, and Rules), but stack four committees with more conservative members (Agriculture, Armed Services, Merchant Marine and

Fisheries, and Veterans' Affairs). ${ }^{37,38}$ Republicans stack three committees with more conservative members (Agriculture, Interior and Insular Affairs, and Veterans Affairs), but stack five committees with more liberal members (Appropriations, Education and Labor, Merchant Marine and Fisheries, Post Office and Civil Service, and Science, Space, and Technology). ${ }^{39}$

Democrats stack 13 of the 22 standing committees, and Republicans stack 8. Fifteen of the 22 standing committees in the House are preference outliers for at least one of the parties. Only 7 of 22 committees' memberships are representative of the parties. Accommodation, appearing in 13 of the 15 committees for which at least one party stacks the committee in a nonrepresentative manner, occurs more often than confrontation. However, confrontation, in the form of bipolar outliers, appears to be quite rare. Only the Interior and Insular Affairs Committee appears to be a bipolar outlier, although the Judiciary Committee may also fit this description. ${ }^{40}$ The Merchant Marine and Fisheries Committee appears to be a bipolar complement, with both parties stacking the committee with their moderate members. ${ }^{41}$

The pattern of accommodation and confrontation evident in Table 5 allows one to impute something about the preferences of the parties over the policies under each committee's jurisdiction. The Democrats appear to have strong preferences for the policies of the Appropriations, District of Columbia, Education and Labor, Energy and Commerce, Foreign Affairs, Judiciary, Post Office and Civil Service, Rules, and Science, Space, and Technology committees. The Republicans appear to have strong preferences for the policies of the Agriculture, Armed Services, and Veterans’ Affairs committees. Thus on all of these committees, it appears that the intensity of preferences is highly unbalanced. Intensity of preferences appears to be relatively balanced on the Banking, Finance and Urban Affairs, Budget, Government Operations, House

[^17]Administration, Public Works and Transportation, Small Business, Standards of Official Conduct, and Ways and Means committees.

## 6. Model Selection Tests

We are arguing that the results in Tables 2 and 5 support our model, and that the results in Table 4 do not support the alternative models that have been proposed. However, none of these tests "nest" the models in such a way that one might distinguish between them. This section offers such a test-at least for the representative majority party hypothesis. ${ }^{42}$ Cox and McCubbins (1993:188-200, and especially Table 25 , p. 200) argue that one should not expect all committees to be outliers. They hypothesize that as the externality the committee imposes upon noncommittee members increases, one should expect the committee membership to be more representative of the party. They distinguish between three categories of externalities-uniform, mixed, and targeted-and predict that committees will become less representative as they move from uniform to mixed to targeted. Similarly, they argue that as the constituency clientele becomes more homogeneous, the committee will be more inclined to be nonrepresentative. Thus they also categorize committees as being homogeneous or heterogeneous in terms of its constituency clientele.

We use Cox and McCubbins' (1993:200 at Table 25) classification of committees as an alternative to the model presented above in Table $2{ }^{43}$ We reran the regressions in Table 2, adding dummy variables for the categories identified by Cox and McCubbins, omitting the dummy variables for uniform externalities and heterogeneous constituency clientele, and setting each index so that a 100 is the "liberal" end of the spectrum. ${ }^{44}$ Thus Cox and McCubbins' hypotheses predict that the signs of the dummy variables should be positive for Democrats and negative for Republicans.

The regression results are contained in Table 6. These results agree with those in Table 2 for the party competition hypothesis, in both the signs and magnitudes of the coefficients, and the partial $F$-tests reveal that the party competition hypothesis offers significant explanatory power. In contrast, the constituency and externality dummy variables perform erratically. The signs

[^18]Table 6. Model Selection Tests

| Variable | Whole Congress |  |  | Democrats |  |  | Republicans |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | OLS | $\begin{aligned} & \text { OLS } \\ & \text { (2) } \end{aligned}$ | Fixed Effects (3) | $\begin{aligned} & \text { OLS } \\ & \text { (4) } \end{aligned}$ | $\begin{aligned} & \text { OLS } \\ & \text { (5) } \end{aligned}$ | Fixed Effects (6) | $\begin{aligned} & \text { (7) } \end{aligned}$ | $\begin{aligned} & \text { OLS } \\ & (8) \end{aligned}$ | Fixed Effects (9) |
| Own party weight same committee | - | $\begin{gathered} * * * \mathbf{0 . 2 3 5} \\ (11.86) \end{gathered}$ | $\begin{aligned} & * * * \mathbf{0 . 2 3 6} \\ & (11.88) \end{aligned}$ | - | $\begin{gathered} * * * 0.100 \\ (4.05) \end{gathered}$ | $\begin{array}{r} * * * 0.091 \\ (3.68) \end{array}$ | - | $\begin{gathered} * * * \mathbf{0 . 3 9 6} \\ (12.72) \end{gathered}$ | $\begin{gathered} * * * \mathbf{0 . 4 0 9} \\ (13.01) \end{gathered}$ |
| Own party weight other committees | - | $\begin{gathered} -0.091 \\ (-1.28) \end{gathered}$ | $\begin{gathered} -0.075 \\ (-0.95) \end{gathered}$ | - | $\begin{array}{r} 0.107 \\ (1.30) \end{array}$ | $\begin{gathered} -0.027 \\ (-0.25) \end{gathered}$ | - | $\begin{gathered} * * *-0.526 \\ (-4.53) \end{gathered}$ | $\begin{array}{r} * *-\mathbf{0 . 3 2 4} \\ (-2.28) \end{array}$ |
| Other party weight same committee | - | $\begin{gathered} * * * 0.154 \\ (7.78) \end{gathered}$ | $\begin{array}{r} * * * \\ (7.155 \\ (7.81) \end{array}$ | - | $\begin{gathered} 0.122 \\ (5.59) \end{gathered}$ | $\begin{gathered} * * * \mathbf{0 . 1 2 8} \\ (5.85) \end{gathered}$ | - | $\begin{array}{r} * * * \mathbf{0 . 1 2 1} \\ (3.43) \end{array}$ | $\begin{array}{r} * * * 0.113 \\ (3.17) \end{array}$ |
| Other party weight other committees | - | $\begin{gathered} * * *-\mathbf{0 . 3 7 2} \\ (-5.26) \end{gathered}$ | $\begin{gathered} * * *-\mathbf{0 . 3 5 6} \\ (-4.50) \end{gathered}$ | - |  | $\begin{array}{r} -0.135 \\ (-1.37) \end{array}$ | - | $\begin{gathered} * *-\mathbf{0 . 2 4 4} \\ (-2.08) \end{gathered}$ | $\begin{gathered} * *-\mathbf{0 . 3 6 0} \\ (-2.35) \end{gathered}$ |
| Party's own floor median | - | $\begin{array}{r} 0.006 \\ (0.53) \end{array}$ | $\begin{array}{r} 0.009 \\ (-0.46) \end{array}$ | - | $\begin{aligned} & * \mathbf{0 . 0 2 3} \\ & (1.87) \end{aligned}$ | $\begin{gathered} 0.027 \\ (1.02) \end{gathered}$ | - | $\begin{gathered} -0.013 \\ (-0.58) \end{gathered}$ | $\begin{gathered} -0.034 \\ (-0.97) \end{gathered}$ |
| Other party's floor median | - | $\begin{gathered} 0.003 \\ (0.26) \end{gathered}$ | $\begin{array}{r} 0.006 \\ (-0.91) \end{array}$ | - | $\begin{gathered} 0.019 \\ (1.24) \end{gathered}$ | $\begin{gathered} 0.33 \\ (1.35) \end{gathered}$ | - | $\begin{gathered} -0.017 \\ (-0.97) \end{gathered}$ | $\begin{gathered} -0.020 \\ (-0.05) \end{gathered}$ |
| Homogeneous constituency | $\begin{gathered} * * *-4.622 \\ (-7.00) \end{gathered}$ | $\begin{gathered} * * *-6.304 \\ (-9.85) \end{gathered}$ | $\begin{array}{r} * * *-6.304 \\ (-9.89) \end{array}$ | $\begin{gathered} 0.640 \\ (0.91) \end{gathered}$ | $\begin{gathered} -0.441 \\ (-0.62) \end{gathered}$ | $\begin{gathered} -0.441 \\ (-0.63) \end{gathered}$ | $\begin{gathered} * * *-9.884 \\ (-9.31) \end{gathered}$ | $\begin{array}{r} * * *-13.22 \\ (-13.22) \end{array}$ | $\begin{array}{r} { }^{* * *}-13.22 \\ (-13.28) \end{array}$ |
| Mixed externality | $\begin{gathered} * * * 3.955 \\ (5.99) \end{gathered}$ | $\begin{array}{r} * * * 2.907 \\ (4.59) \end{array}$ | $\begin{gathered} * * * 2.907 \\ (4.61) \end{gathered}$ | $\begin{gathered} * * * \mathbf{2 . 4 4 5} \\ (3.49) \end{gathered}$ | $\begin{aligned} & { }^{*} 1.465 \\ & (1.93) \end{aligned}$ | $\begin{gathered} * * \mathbf{1 . 4 6 4} \\ (1.96) \end{gathered}$ | $\begin{gathered} * * * \mathbf{5 . 4 6 4} \\ (5.14) \end{gathered}$ | $\begin{gathered} 1.324 \\ (1.22) \end{gathered}$ | $\begin{gathered} 1.324 \\ (1.23) \end{gathered}$ |
| Targeted externality | $\begin{array}{r} * * *-4.310 \\ (-6.53) \end{array}$ | $\begin{array}{r} * * *-2.219 \\ (-3.43) \end{array}$ | $\begin{array}{r} * *-\mathbf{2 . 2 1 9} \\ (-3.45) \end{array}$ | $\begin{array}{r} * * *-2.471 \\ (-3.52) \end{array}$ | $\begin{gathered} { }^{* *}-\mathbf{1 . 4 6 4} \\ (-2.05) \end{gathered}$ | $\begin{gathered} * *-1.464 \\ (-2.08) \end{gathered}$ | $\begin{gathered} * * *-6.150 \\ (-5.79) \end{gathered}$ | $\begin{gathered} * * *-4.253 \\ (-4.18) \end{gathered}$ | $\begin{array}{r} * * *-4.253 \\ (-4.20) \end{array}$ |
| Mixed externality and homogeneous constituency | $\begin{gathered} -0.573 \\ (0.57) \end{gathered}$ | $\begin{gathered} * * \mathbf{2 . 3 4 9} \\ (2.41) \end{gathered}$ | $\begin{gathered} \text { **2.349 } \\ (2.42) \end{gathered}$ | $\begin{array}{r} -0.147 \\ (-0.13) \end{array}$ | $\begin{array}{r} 1.677 \\ (1.57) \end{array}$ | $\begin{array}{r} 1.677 \\ (1.59) \end{array}$ | $\begin{gathered} -0.999 \\ (-0.62) \end{gathered}$ | $\begin{gathered} * * * \mathbf{4 . 4 5 2} \\ (2.92) \end{gathered}$ | $\begin{gathered} * * * \mathbf{4 . 4 5 2} \\ (2.94) \end{gathered}$ |

Table 6. Continued

| Variable | Whole Congress |  |  | Democrats |  |  | Republicans |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | OLS <br> (1) | OLS <br> (2) | Fixed Effects (3) | OLS <br> (4) | $\begin{aligned} & \text { OLS } \\ & \text { (5) } \end{aligned}$ | Fixed Effects (6) | OLS <br> (7) | OLS <br> (8) | Fixed Effects (9) |
| Observations | 2016 | 2016 | 2016 | 1008 | 1008 | 1008 | 1008 | 1008 | 1008 |
| $\bar{R}^{2}$ | 0.069 | 0.156 | 0.163 | 0.051 | 0.104 | 0.130 | 0.155 | 0.294 | 0.300 |
| $F$-statistic | ***31.28 | ***35.03 | *** 16.81 | ***19.22 | ***15.23 | ***8.66 | ***38.63 | ***39.56 | 18.49 |
| $\begin{aligned} & \text { Partial } F \text {-statistic } \\ & \text { (PC) } \end{aligned}$ | - | ${ }^{* * *} 35.47$ | ${ }^{* * *} 35.69$ | - | ***10.95 | ${ }^{* * *} 9.53$ | - | ***33.98 | ***34.35 |
| Partial F-statistic (CE) | ${ }^{* * *} 38.28$ | ${ }^{* * *} 39.28$ | ${ }^{* * *} 39.62$ | ***14.60 | ${ }^{* * *} 8.33$ | ${ }^{* * *} 8.58$ | ***47.23 | ${ }^{* * *} 61.38$ | ***61.94 |

This table contains tests of the party-competition (PC) hypothesis combined with Cox and McCubbins' constituency and externalities (CE) hypotheses (1993:200). The OLS regressions use the reported variables plus a constant. The fixed effects variables include the ratings and the Congresses, but no interaction terms and not the committees. The partial $F$ tests PC and CE jointly test the (two-tailed) significance of the combined coefficients for the PC and CE hypotheses. The CE hypothesis has two sets of categories into which committees are allocated, based on whether the constituency is homogeneous or heterogeneous and whether the externality is targeted, uniform, or mixed externalities. The omitted categories are the uniform externalities and the heterogeneous constituency clientele. As each rating is scaled so that an increasing score is consistent with a more liberal stance, the expected signs for the CE hypothesis are that each of the dummy variables be positive for Democrats and the whole committee and negative for Republicans. The PC hypotheses are the same as those in Table 2. Bolded coefficients are significant in two-tailed tests at the $10 \%\left(^{*}\right), 5 \%\left(^{* *}\right)$, or $1 \%{ }^{(* * *)}$ levels.
of each of the constituency and externality variables is expected to be positive for the Democrats and the whole committees, but statistically significant negative signs are observed for the homogeneous constituency and targeted externality variables. Similarly, negative signs are expected for Republicans, but statistically significant positive signs are observed for the mixed externality and combined mixed externality and homogeneous constituency variables.

The failure of the constituency and externality variables to have the signs expected by the representative majority party hypothesis is surprising, and might appear to be damaging both to that hypothesis and to the party competition hypothesis, since we have argued that parties will take into account just the sorts of externalities identified in the constituency and externality variables. However, any contradiction is avoided by recalling (e.g., Table 5) that each party is expected, under the party competition hypothesis, to stack some committees in different directions. In contrast, our interpretation of the representative majority party hypothesis is that they will stack committees in only one direction.

We reran the model with the dependent variable being the absolute value of the difference in median between the committee and the floor. (Thus we had to exclude the party competition variables.) This model assumes that the constituency and externality variables predict the magnitude of the difference in median, but not its direction. The results are presented in Table 7, where the coefficients on the constituency and externality dummy variables for both parties are expected to have positive signs. Indeed, the signs are positive and statistically significant in all but two cases-the homogeneous constituency variable is negative and significant for Democrats. Thus the party competition hypothesis is given more credibility by considering evidence on which committees the parties are most likely to stack.

## 7. Discussion and Conclusions

Weingast and Marshall (1988), building on earlier work by Niskanen (1971), Shepsle (1979), and others, sparked debate on the committee outlier hypothesis by suggesting that members of Congress designed the institution for ensuring their own reelection success. They argued that the committee system in Congress is perfectly suited to that purpose-it allows members control over policies important to their reelection, and it controls opportunistic behavior by preventing bills unfavorable to the committee from being introduced, which, in turn, helps to enforce logrolling agreements between committees. However, they explicitly assumed that the influence of political parties was negligible. In retrospect, this omission is odd: if the committee system exists to meet its members' reelection needs, does not the party system exist for the same purpose? This article argues that the answer to that question is
Table 7. Committee Characteristics and the Magnitude of the Difference in Medians

| Variable | Whole Congress |  | Democrats |  | Republicans |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | OLS <br> (1) | Fixed Effects <br> (2) | OLS <br> (3) | Fixed Effects <br> (4) | OLS <br> (5) | Fixed Effects <br> (6) |
| Homogeneous constituency | $\begin{gathered} * * * \mathbf{1 . 8 8 0} \\ (3.76) \end{gathered}$ | $\begin{gathered} * * * \mathbf{1 . 8 8 1} \\ (3.94) \end{gathered}$ | $\begin{gathered} *-0.988 \\ (-1.83) \end{gathered}$ | $\begin{gathered} *-0.988 \\ (-1.88) \end{gathered}$ | $\begin{gathered} \text { ***4.749 } \\ (5.97) \end{gathered}$ | $\begin{gathered} \text { *** } \mathbf{4 . 7 4 9} \\ (6.31) \end{gathered}$ |
| Mixed externality | $\begin{gathered} * * * \mathbf{2 . 5 4 1} \\ (5.07) \end{gathered}$ | $\begin{gathered} * * * \mathbf{2 . 5 4 1} \\ (5.33) \end{gathered}$ | $\begin{gathered} * * * \mathbf{1 . 6 4 2} \\ (3.05) \end{gathered}$ | $\begin{gathered} * * * \mathbf{1 . 6 4 2} \\ (3.12) \end{gathered}$ | $\begin{gathered} \text { *** } \mathbf{3 . 4 3 9} \\ (4.32) \end{gathered}$ | $\begin{gathered} * * * 3.439 \\ (4.57) \end{gathered}$ |
| Targeted externality | $\begin{gathered} \text { ***2.406 } \\ (4.80) \end{gathered}$ | $\begin{gathered} \text { ***2.406 } \\ (5.05) \end{gathered}$ | $\begin{aligned} & -0.527 \\ & (-0.98) \end{aligned}$ | $\begin{gathered} -0.527 \\ (-1.04) \end{gathered}$ | $\begin{gathered} * * * 5.340 \\ (6.71) \end{gathered}$ | $\begin{gathered} * * \mathbf{5 . 3 4 0} \\ (7.09) \end{gathered}$ |
| Mixed externality and homogeneous constituency | $\begin{gathered} 0.182 \\ (0.24) \end{gathered}$ | $\begin{gathered} 0.183 \\ (0.25) \end{gathered}$ | $\begin{array}{r} 1.247 \\ (1.52) \end{array}$ | $\begin{array}{r} 1.247 \\ (1.56) \end{array}$ | $\begin{gathered} -0.881 \\ (0.73) \end{gathered}$ | $\begin{gathered} -0.881 \\ (-0.77) \end{gathered}$ |
| Observations | 2016 | 2016 | 1008 | 1008 | 1008 | 1008 |
| $\overline{R^{2}}$ | 0.055 | 0.143 | 0.031 | 0.077 | 0.117 | 0.210 |
| $F$-statistic (magnitude) | ***351.39 | ***33.98 | *** 171.54 | ***9.62 | ***225.87 | ***38.638 |
| $F$-statistic (regression) | - | ***107.91 | - | ***50.70 | - | ***73.293 |

This table contains tests of Cox and McCubbins' constituency and externalities (CE) hypotheses (1993:Table 25, p. 200), adjusted to account only for the magnitude-not the direction-of the difference in median between the committee and the floor. The dependent variable is the absolute value of the difference in median. All coefficients are expected to be positive in sign. The partial $F$-test "magnitude" tests the (two-tailed) joint significance of the combined coefficients for the CE hypothesis. The CE hypothesis has six categories into which committees are allocated, based on whether the constituency is homogeneous or heterogeneous and whether the externality is targeted, uniform, or mixed externalities. The $F$-test "regression" includes all variables. The fixed effects variables include the ratings and the Congresses, but no interaction terms and not the committees. Bolded coefficients are significant in one-tailed tests at the $10 \%\left({ }^{*}\right)$, $5 \%\left({ }^{(* *)}\right.$, or $1 \%\left({ }^{* * *}\right)$ levels.
"yes." Political parties play an important, and empirically supported, role in the organization of the Congress. ${ }^{45}$

Our contribution has been to construct and test a model that predicts how the parties assign seats on committees. Parties in our model are assumed to have the final word on (new) committee assignments. Since each party wants both to affect policy and to get its members reelected, each party member's interests are given positive weight in the party calculus. The party's role is to ensure that opportunistic behavior by some of its members does not cause more damage than those members are worth to the party. However, parties are constrained in what they can and cannot do. Since individual members cannot be removed easily from committees, parties cannot easily discipline members for defecting from the party line. ${ }^{46}$ However, the manner in which the committees are set up in the first place affects how well the system can prevent opportunistic behavior.

Our model is the only existing model capable of generating each of the types of committees observed in the U.S. Congress. Indeed, each of the alternative hypotheses can explain the nature of only about half of the standing committees in the U.S. House of Representatives. Our model has specific predictions regarding how the equilibrium responds to parameters such as the party's policy preferences. Our empirical tests using Senate data as proxies for policy preferences find strong support for our model. In addition, our model predicts that accommodation on one side for one committee means accommodation on the other side for some other committee-a result supported by the data. Similarly, confrontation on one committee resulting in a bipolar outlier implies the existence of a bipolar complement committeeanother result supported by the data.

In conclusion, we find support for the argument of Weingast and Marshall (1988) and others that the committee system in the Congress is set up to benefit its members' reelection goals. We also find support for predictions of the representative majority party hypothesis (Cox and McCubbins, 1993) regarding which committees are most likely to be nonrepresentative. However, we reject aspects of the representative majority party hypothesis that suggest that committees are likely to be stacked with nonrepresentative members only in the direction of the party's mean preferences. We believe that these theories

[^19]are greatly enriched when the role of parties is recognized as fulfilling a complementary purpose to the committee system-to ensure the reelection and policy goals of its members by tempering opportunistic behavior via allocations of committee assignments-and that parties face important institutional constraints in their allocation decisions.

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[^0]:    This article has benefited from the comments of seminar participants at the University of Auckland, Montana State University, and the 1998 Public Choice Society meetings. We are also grateful for helpful comments from Ron Johnson, Rich Sicotte, Mathew McCubbins, and three anonymous referees. All errors are our own.

[^1]:    1. Important exceptions include Rohde (1994) and Aldrich (1994). See also Krehbiel and Meirowitz (1999).
    2. See also Benson $(1981,1983)$ and Adler and Lapinski (1997).
    3. A comprehensive review of this debate, along with the positions of the major proponents and comments and criticisms, is found in the May, August, and November 1994 issues of Legislative Studies Quarterly. See also Groseclose (1994a, b) and Adler and Lapinski (1997) for brief reviews of this debate.
    4. See also Epstein (1997) and Saving (1997) on the topic of how legislatures deal with the information asymmetry between committees and the floor.
    5. This interpretation may be controversial, but it is consistent with Krehbiel's own interpretation of the statistical tests. Krehbiel (1991:150) argues "support for the informational perspective was found in ... the prevalence of heterogeneous committees." Krehbiel (1991:126-27) defines a heterogeneous committee as having a variance greater than or equal to the variance from the floor (excluding the committee). We conduct this same test. However, a referee notes that this is inconsistent with the Gilligan and Krehbiel signaling games, as in Gilligan and Krehbiel (1990:417).
    6. This is the interpretation that Krehbiel (1991:125-26, note 22) adopts regarding the representative majority hypothesis.
[^2]:    7. Groseclose (1994b) provides a nice summary of earlier evidence on the preference outlier hypothesis.
    8. Krehbiel (1990:159) concludes "the results . . . force us to entertain the possibility that the standard preference outlier story is a stylized fiction." Weingast and Marshall's (1988) empirical evidence on the preference outlier hypothesis has been shown to be invalid (Groseclose, 1994a). Most other recent empirical evidence has rejected the preference outlier hypothesis except in a few committees in the U.S. House (Cox and McCubbins, 1993; Mooney and Duval, 1993; Groseclose, 1994b), although Londregan and Snyder (1994) and Adler and Lapinski (1997) found evidence in support of the preference outlier hypothesis. See also Epstein (1997) and Saving (1997) for a criticism of the informative committees hypothesis.
    9. Phillipson (1992) has examined a model in which the relative size of committees is endogenous. We ignore this endogeneity in the model below.
    10. This is an important distinction, because Weingast and Marshall (1988) make an implicit assumption that the mechanism whereby members compete for committees will result in an efficient outcome for the party. As with all pricing systems, this mechanism will result in maximizing the party's welfare only if the memberships of each committee do not impose costs on nonmembers. We argue that it is because of this type of externality that the party will not always grant committee memberships to its members who value them the highest.
[^3]:    11. In Philipson (1992), each party prefers a different policy, and all members of each party prefer the same policy. He argues that party proportions on committees will equal the floor proportions because this maximizes the power of each committee member (i.e., a member's presence is most likely to affect the outcome when committees are formed in this fashion). Because party memberships are heterogeneous in our model, we focus on the question of which members will go on which committees. This is not an issue when all members of the same party have the same preferences.
[^4]:    12. The ratings used in the analysis in Tables 1, 4, and 5 include the Americans for Democratic Action (ADA), American Civil Liberties Union (ACLU), Consumer Federation of America (CFA), Chamber of Commerce of the United States (COC), AFL-CIO Committee on Political Education (COPE), League of Conservation Voters (LCV), National Security Index of the American Security Council (NSI), and National Taxpayers Union (NTU). Due to data limitations, Ralph Nader's Public Citizen (PC) index is used during the 97th Congress in lieu of the ACLU index; the National Association of Business (NAB) index is used during the 98th Congress in lieu of the COC index; and the National Tax Limitation Committee (NTLC) index is used for the 101st and 102nd Congresses in lieu of the NTU index. We also use the American Conservative Union (ACU) score and data from the 96th Congress in the regression analyses reported in Tables 2, 6, and 7. All data are from Barone et al. (various years).
    13. The ratings used for each Congress are the ratings the congressman received in the evennumbered year of the previous Congress. Thus newly elected congressmen are omitted from the analysis. We also omit party leaders, since they serve on no committees.
    14. Evident in Table 1 are the difficulties with using this sort of data. Many ratings have very little dispersion for one of the parties (e.g., the median Republican NSI rating is 100 for each Congress). In addition, some theories (e.g., the informative committees hypothesis) may be better tested using data about the expertise of the member rather than the pure ideological scores. See Snyder (1992) for an excellent discussion of the problems associated with the use of interest group ratings.
[^5]:    16. The regression coefficient for the House Administration Committee is -0.138 ( $\mathrm{SE}=$ 0.038 ); the coefficient for the Standards and Official Conduct Committee is -0.248 ( $\mathrm{SE}=$ $0.038)$, and the coefficient for the Rules Committee is $0.082(\mathrm{SE}=0.038)$.
    17. The results are qualitatively the same when the ADA or the ACU is used for each party.
[^6]:    18. More generally, the distribution of party members could be renormalized to allow for a mass of greater than one for committee memberships. Call this new distribution $\phi_{i}(x, y)$, where $=\iint \phi_{i}(x, y) d y d x>k_{i}$. Then all of the results below could be established using $\phi_{i}$ rather than $f_{i}$.
[^7]:    19. Equation (1) is derived by integrating the mass-weighted utility of the party for a given policy $\left\{x^{*}, y^{*}\right\}$,
    $U_{i}\left(p^{*}\right)=\iint f_{i}(x, y) U^{i}\left(p^{*} \mid x, y\right) d y d x$,
    where $U^{i}\left(p^{*} \mid x, y\right)=u_{i}-\alpha_{i}\left(x-x^{*}\right)^{2}-\beta_{i}\left(y-y^{*}\right)^{2}$ is the utility of a member whose preferred policy is $\{x, y\}$, and $f_{i}(x, y)=g_{i}(x) h_{i}(y)$ is the party distribution of members over the set of preferred policies. The constant $\bar{u}_{i}$ is a function of the $u_{i}$ and the variance of the party distributions in $x$ and $y$. In the event that the parties care about the median member, then the mean would be replaced with the median in Equation (1), and the $k_{i}$ terms would not appear. If the preferences are correlated across the $x-y$ dimension, there would be an additional interaction term of the form $k_{i} \alpha_{i} \beta_{i}\left(\bar{x}_{i}-p_{x}\right)\left(\bar{y}_{i}-p_{y}\right) \operatorname{cov}(x, y)$ in Equation (1).
[^8]:    20. Whenever the parties' indifference curves are elliptical it will occur that the amendment process may lead one away from $H$. But, for relatively balanced preferences, $W_{H}(H) \cap W_{H}(q)$ will be quite small.
[^9]:    21. If the indifference curve tangent to $p_{H}$ passed to the right of $G$, then the amendment $a_{H}$ would have to be pushed up the $\bar{x}_{M}$ loci until the $p_{H}$ point tangent to the $y$ value of $a_{H}$ is such that the committees utility is higher at $p_{H}$ than at $G$.
    22. We are assuming that due to the institutional restrictions $\chi_{i}, i=M, m$, it is not possible to stack the committees sufficiently to obtain $C=\left\{\bar{x}_{M}, \bar{y}_{m}\right\}$.
    23. In Table 5 we show that this is true empirically. Democrats, who were the majority party, stack 13 committees with outliers while Republicans stacked only 8 committees with outliers.
    24. In this case, the equilibrium amendment process is as follows. Consider the case where the committees are nonhomogeneous, with preferred policies $C$. By choosing policy $b_{C}$, the committees force the minority party to offer amendment $a_{C}$. This amendment is chosen such that the committees prefer $p_{C}$ to any element in the upper subsection of $W_{C}(q) \cap W_{C}\left(b_{C}\right) \cap W_{C}\left(a_{C}\right)$.
[^10]:    If the committees choose a $b$ closer to $M$, it allows the minority party to obtain a policy more to its liking-and that makes the committees $C$ worse off. A policy $b$ too close to $C$ allows $m$ to choose an amendment on the boundary of the $W_{C}(q)$ that forces $C$ to choose a perfecting amendment to the lower right of $p_{C}-$ making $C$ worse off. A similar equilibrium can be derived for $H$.

[^11]:    25. In particular, there are 16 Senate committees. The correspondence between the House (and Senate) committees are as follows: Agriculture (Agriculture, Nutrition, and Forestry); Appropriations (Appropriations); Armed Services (Armed Services); Banking, Finance, and Urban Affairs (Banking, Housing, and Urban Affairs); Budget (Budget); Education and Labor (Labor and Human Resources); Energy and Commerce (Commerce, Science, and Transportation); Foreign Affairs (Foreign Relations); Government Operations (Governmental Affairs); Interior and Insular Affairs (Energy and Natural Resources); Judiciary (Judiciary); Public Works (Environment and Public Works); Rules (Rules and Administration); Small Business (Small Business); Veterans’ Affairs (Veterans’ Affairs); Ways and Means (Finance).
    26. A referee has pointed out that the Republicans in the Senate are generally given committee assignments based on seniority rather than being assigned to committees by the party leadership in the manner described in Section 3. This makes the use of the Senate as a measure of ideological preferences much more compelling.
[^12]:    27. These results appear quite robust. We have sorted them each by rating, by Congress, and by committee, and found similar results.
    28. See Weingast and Marshall (1988), Krehbiel (1990), Cox and McCubbins (1993), Mooney and Duval (1993), Groseclose (1994a, b), Londregan and Snyder (1994), and Adler and Lapinski (1997). Both Krehbiel $(1990,1991)$ and Cox and McCubbins (1993) test the preference outlier theory against the null hypothesis that the committees are a random draw. Only Krehbiel (1991) and Groseclose (1994b) appear to recognize that rejection of the preference outlier hypothesis against the random draw hypothesis is not sufficient to accept alternate theories. However, neither recognizes that a committee that is more conservative than the floor rejects the random draw hypothesis as well.
[^13]:    29. The method is similar to the bootstrap technique used by Mooney and Duval (1993) or Groseclose (1994a). However, while the bootstrap method assumes that both the committee and the floor are draws from a given distribution, the permutation method assumes that the floor is the true distribution. Thus the permutation method draws without replacement, while the bootstrap draws with replacement, so no member is represented on the same committee more than once. Groseclose (1994b) uses the permutation method, but with some differences from our approach as noted below.
    30. The algorithm works as follows: for a particular congressman, we choose a committee at random. We then check to see if that member is already on the committee or if the party allotment for the committee is full (if so, a new committee is chosen), or if the member is already on his or her full allotment of committees (if so, a new member is chosen). Only when all members have been placed and all committee slots filled is the $b$ th pseudo-committee system formed. If the algorithm failed to form a full committee system (e.g., if a member needs to be placed on one more committee, but all remaining slots are on committees on which he is already a member), the algorithm was instructed to start over with no members placed on any committees. This process ensures that the pseudo-committee system formed is a random
[^14]:    ${ }^{a}$ Weingast and Marshall (1988). ${ }^{b}$ Gilligan and Krehbiel (1987, 1989, 1990, 1994), Krehbiel (1990, 1991). ${ }^{c}{ }^{c}$ Cox and McCubbins (1993). ${ }^{d}$ The present paper. ${ }^{e}$ The first and second parts of $H_{A}$ need to be accepted for different committees for the alternative hypothesis to be accepted.

[^15]:    
    
    

[^16]:    35. This differs from many previous tests (e.g., Krehbiel, 1990; Groseclose, 1994b) that are one-sided tests. However, for the reasons mentioned in the theoretical section, there is no reason to believe that all committees will be preference outliers in the same direction. To conduct twotailed tests, we simply calculate whether the observed ASL is less than half of the critical level, that is, the ASL is said to be significant at the $1 \%(5 \%)$ [10\%] level if the reported ASL is less than 0.005 (0.025) [0.05].
    36. This method is ad hoc, and assumes that a general rating such as the ADA is as useful as the policy-specific rating, but it is only used to form a basis for discussion. The data in Tables 4 and 5 contain all of the hypothesis tests, so someone disagreeing with our method may construct their own test criteria.
[^17]:    37. The Public Works and Transportation Committee is an outlier in two Congresses using the NTU rating, but the direction of the difference changes.
    38. From Table 4, by two ratings (LCV and COC), the Energy and Commerce Committee as a whole is stacked with more liberal members in the 97th Congress, which is consistent with results from the Democrats. In addition, for the 97th Congress the Banking, Finance and Urban Affairs Committee is stacked with liberal members of both parties separately and taken together by both the ADA and CFA ratings, and the Public Works and Transportation Committee, which showed inconsistent results with the Democrats, appears as more liberal using the NTU rating for the 97th Congress by all three measures (Democrats only, Republicans only, and the whole committee).
    39. In addition, the Banking, Finance, and Urban Affairs Committee appears to be stacked with liberal Republicans in the 97th Congress by both the ADA and CFA ratings.
    40. The Judiciary Committee is stacked liberal by Democrats and on the whole committee in more than half of the Congresses. Republicans stacked it conservative in the 100th Congress.
    41. Weaker evidence can be found in Table 1 supporting the Science, Space, and Technology Committee as also being a bipolar complement (rather than accommodate liberal, as indicated in Table 2). The Republican membership is stacked liberal by the LCV rating in four of the six Congresses, while the Democratic membership and the committee membership as a whole is stacked conservative in two separate Congresses using the ADA rating. The committee median is also not different from the floor.
[^18]:    42. It is not clear that such a test exists for the informative committees hypothesis, at least not one that uses interest group ratings data. The informative committees hypothesis, as outlined by Krehbiel (1991:96-97, at Prediction 3), argues for the use of data on previous employment or other measures of expertise.
    43. Because the committees in the Senate and House do not perfectly overlap, we could not include all of the committees from Cox and McCubbins' (1993:200 at Table 25). For the purposes of Tables 6 and 7, the targeted externality committees are Agriculture and Interior and Insular Affairs. The mixed externality committees are Education and Labor, Armed Services, Banking, Finance, and Urban Affairs, Judiciary, and Foreign Affairs. The homogeneous clientele committees are Education and Labor, Armed Services, Banking, Finance, and Urban Affairs, Public Works, and Veterans’ Affairs. The mixed externality and homogeneous constituency committees are Education and Labor, Armed Services, and Banking, Finance, and Urban Affairs.
    44. In particular, the signs of the difference in medians of the ACU, COC, NSI, and NTU variables are reversed.
[^19]:    45. A number of authors share our view of the importance of political parties in the workings of the Congress. See Shepsle and Weingast (1994), and the other articles in that volume. Rohde (1994), in particular, shares this view, though he agrees with Krehbiel that the future research "should abandon the view of legislatures as institutions that are overwhelmingly preoccupied with distributive politics" (Rohde, 1994:352, quoting Krehbiel, 1991:258). Aldrich (1994) also emphasizes the role of party competition, though he focuses more on how parties participate in the amendment process once a committee bill has been presented to the floor. See also Krehbiel and Meriowitz (1999).
    46. Indeed, this lack of credible enforcement of the party line is the main reason that Weingast and Marshall (1988) assumed party influence is negligible. Recent discussion on this issue can be found in Krehbiel (2000) and Snyder and Groseclose (2000).
